Hélène Morlon

m + n

90

 $E = m_{C^{2}} \quad \text{arad } \not = (x, y) \quad \text{for } (x, y) \quad \text{for } (x, y, z) = \partial g$

90° 🏛

a1/2

Cesky Krumlov





Joëlle Barido-Sottani

Mahwash Jamy

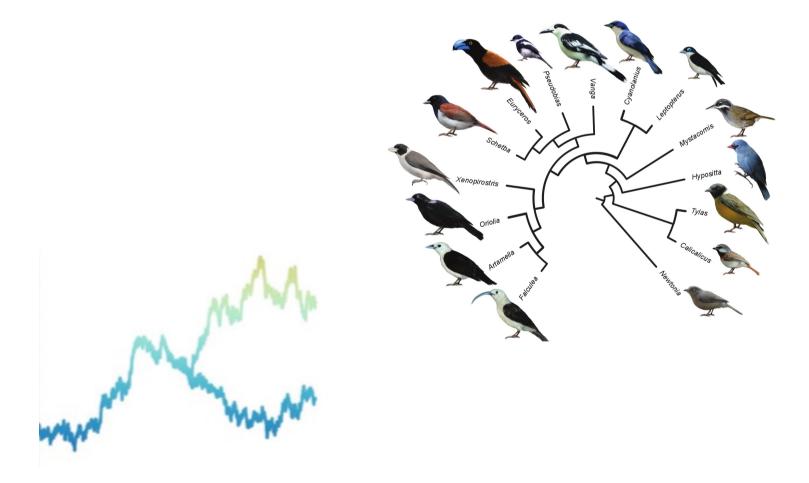


CINIS

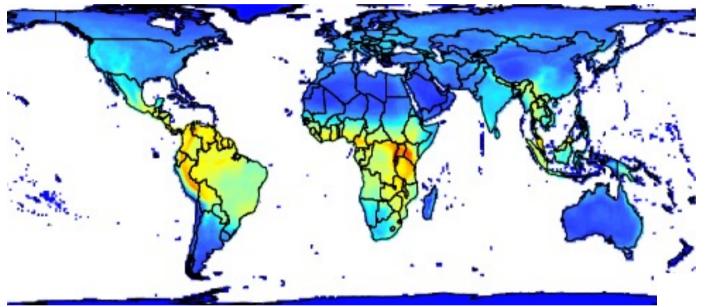
Beast2

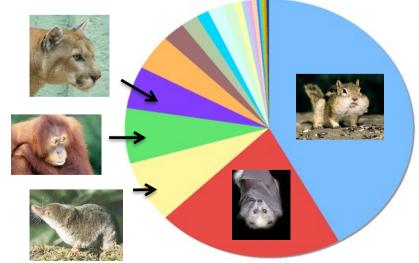
Bayesian evolutionary analysis by sampling trees

Trait evolution on trees, phenotypic and species diversification

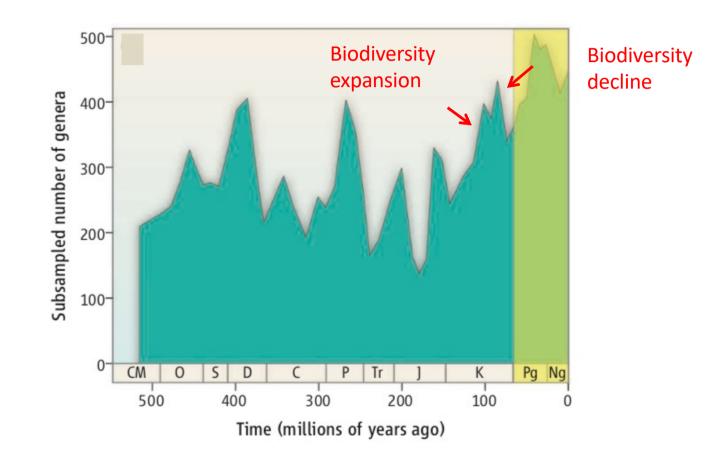


What are the processes that generate biodiversity as we see it around us today?



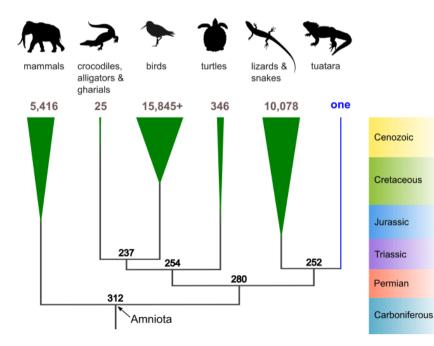


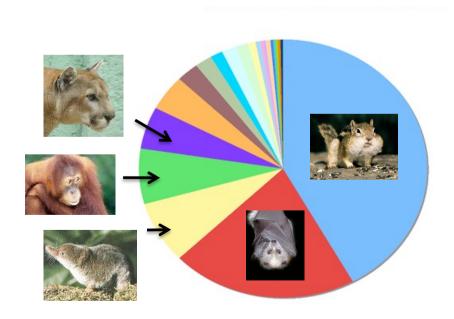
Present-day biodiversity is the result of historical events of speciation and extinction



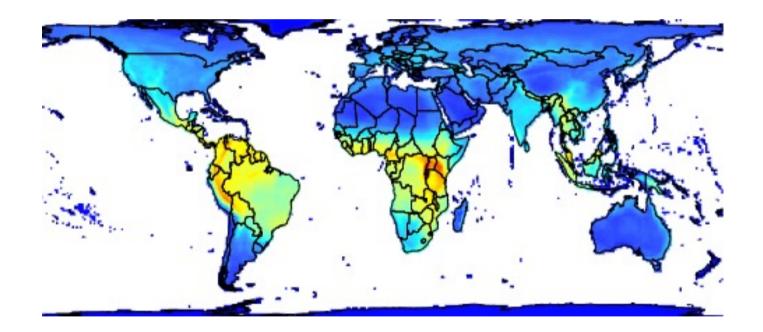
Marshall et al. Science 2010

The balance between speciation and extinction events explain why some species groups are much more species rich than others





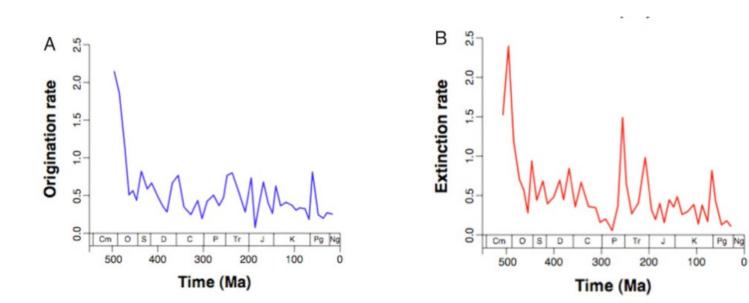
The balance between speciation, extinction and dispersal events explain why some regions of the planet are much more species rich than others



How can we study species diversification (speciation & extinction) using empirical data?

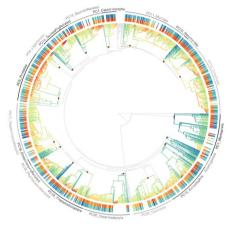
How can we study species diversification (speciation and extinction) using empirical data?

The fossil record

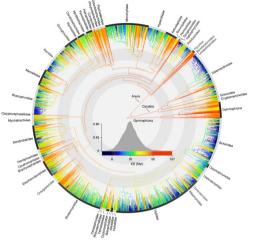


Alroy PNAS 2008

Studying species diversification from the phylogenetic trees of present-day species

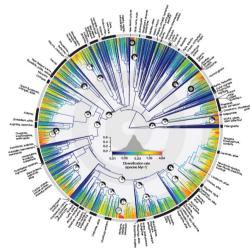


6 000 mammal species Upham et al. PloSB 2019





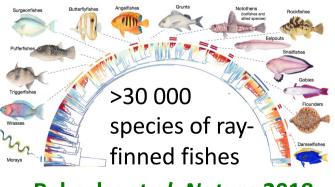
2.2 Million species on a single tree



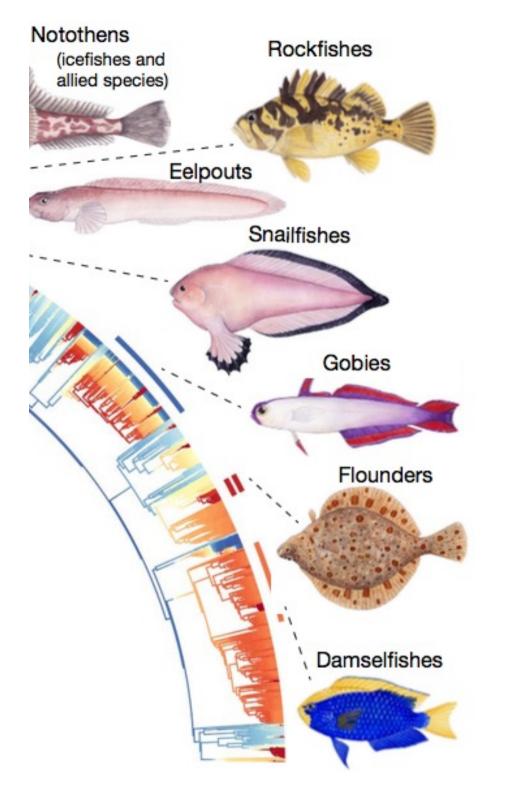
10 000 bird species

Jetz et al. Nature 2012

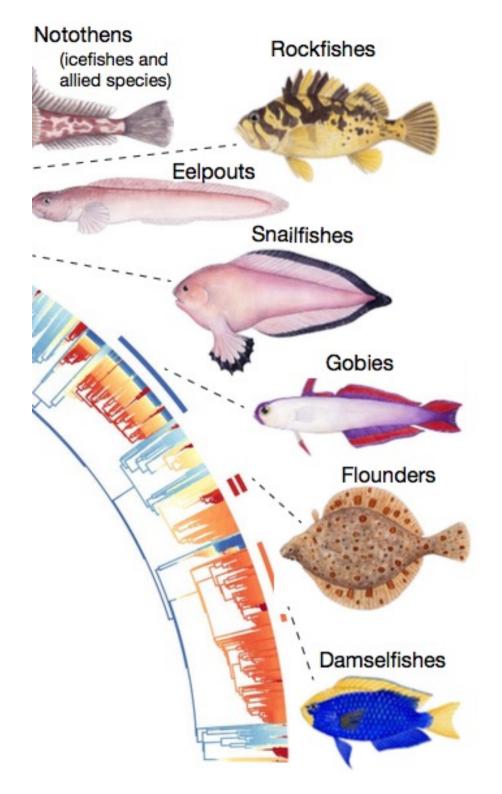
> 7 000 amphibian species
Jetz & Pyron Nat Ecol Evol 2018



Rabosky et al. Nature 2018



Ultrametric and dated phylogenies : an hypothesis of the order and timing of divergences between ancestral lineages that led to present-day species

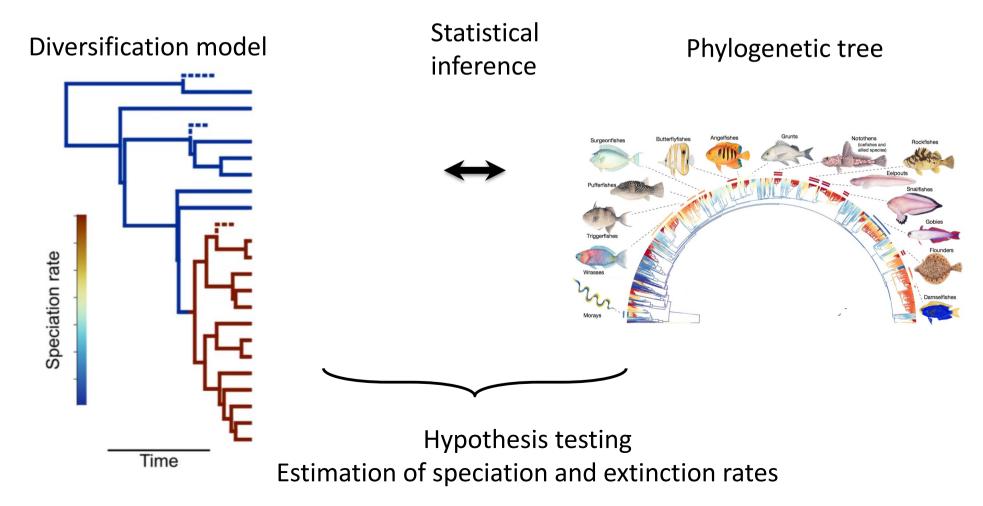


In what follows, we consider the (dated) phylogenetic tree as **data**



Keep listing even if the only thing you are interested in is inferring the tree! Phylogenetic approaches for studying diversification

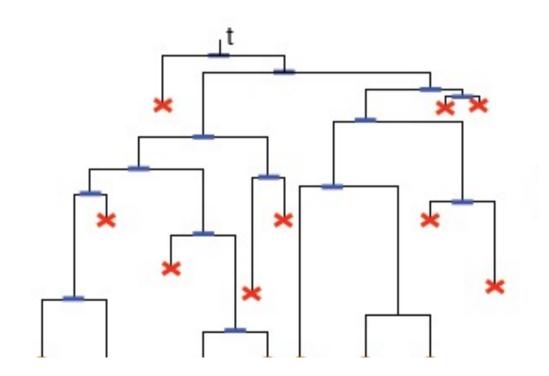
Develop diversification models AND statistical inference approaches that allow adjusting the models to phylogenetic trees to test alternative hypotheses about diversification and estimate speciation and extinction rates



Birth-death model for the analysis of diversification

We model the evolution of a given clade (group of species that contains a common ancestor and all its descendants) with stochastic birth-death models:

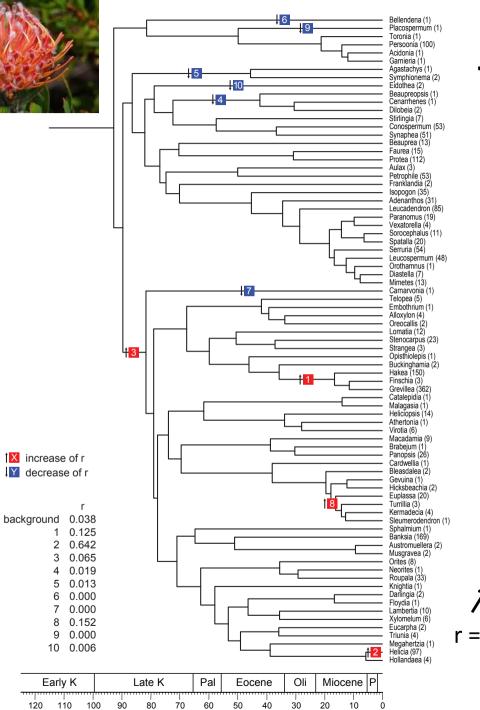
- the clade starts with a single ancestor at time T
- species give rise to new speces with the **per lineage per unit time rate of speciation** λ , and they go extinct with the **per lineage per unit time rate of extinction** μ





Here a lineage corresponds to a species





Estimating diversification from the age and size of a clade

In the absence of extinction (pure birth, Yule model)

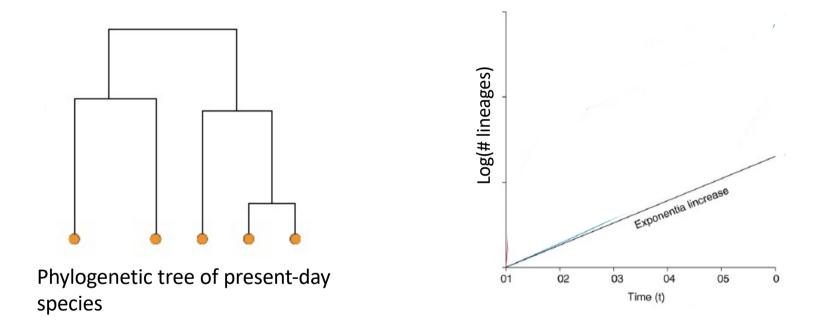
$$\hat{\lambda} = \frac{\log(n)}{T}$$

With extinction (birth-death model)

$$\hat{r} = \frac{1}{T} \log(n(1-\varepsilon) + \varepsilon) \qquad \varepsilon = \frac{\mu}{\lambda}$$
$$\approx \lambda - \mu$$

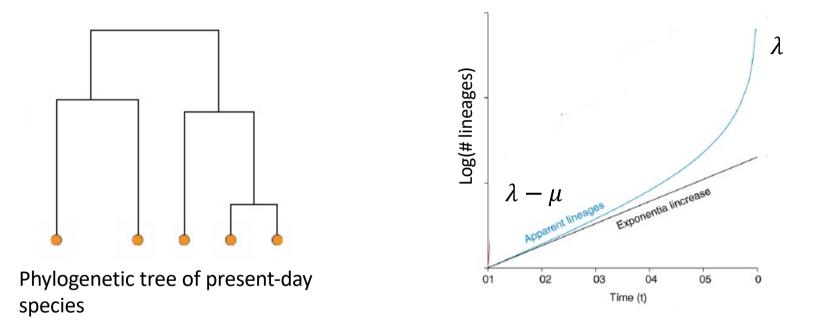
Magallon & Sanderson Evolution 2001

Estimating diversification using Lineage Through Time plots (LTT)



In the absence of extinction, an estimate of the speciation rate is given by the slope of the Lineage Through Time plot

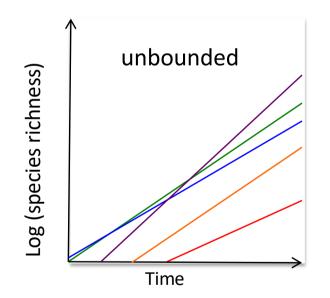
Estimating diversification using Lineage Through Time plots (LTT)



With extinction, the Lineage Through Time plot is characterized by an acceleration towards the present known as « the pull of the present »

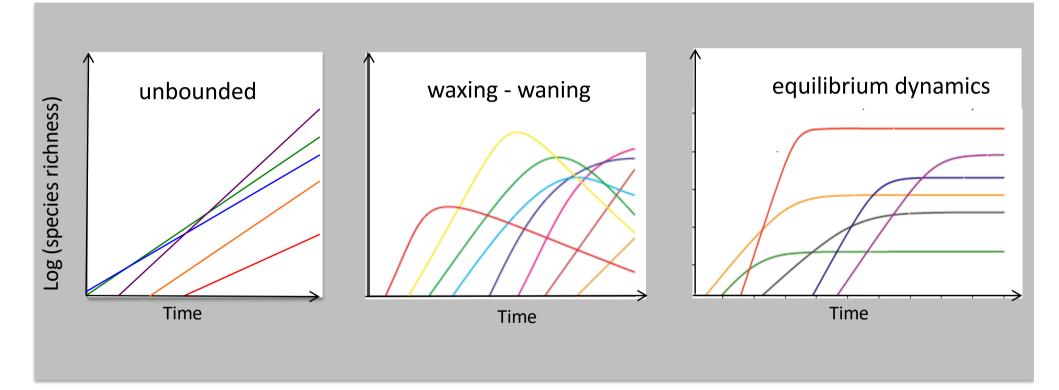
The slope towards the present provides an estimate of the speciation rate, the slope in the past provides an estimate of the net diversification rate.

All the above methods assume speciation and extinction rates are constant through time and homogeneous across lineages

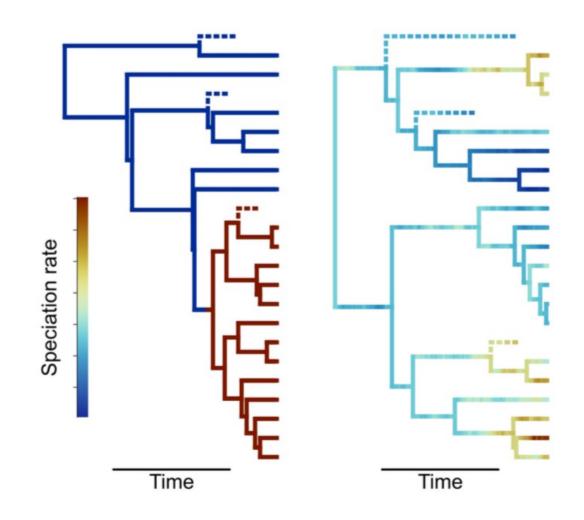


What if biodiversity dynamics are not unbounded?

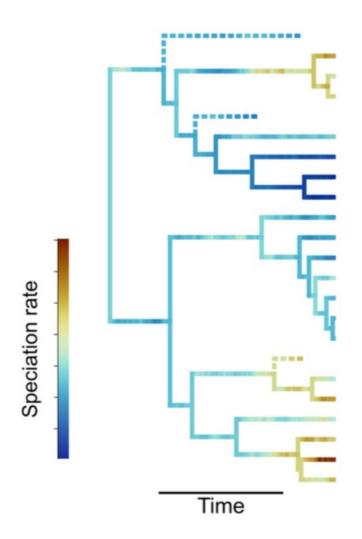
What if we want to test the support of different visions of how the evolution of diversity proceeds?



What if we rates are not homogeneous across lineages and we want to test the support of different visions of how rate variation occurs?



Intuitively, the distribution of branching times informs on temporal variation in speciation and extinction rates, topology informs on rate variation across lineages

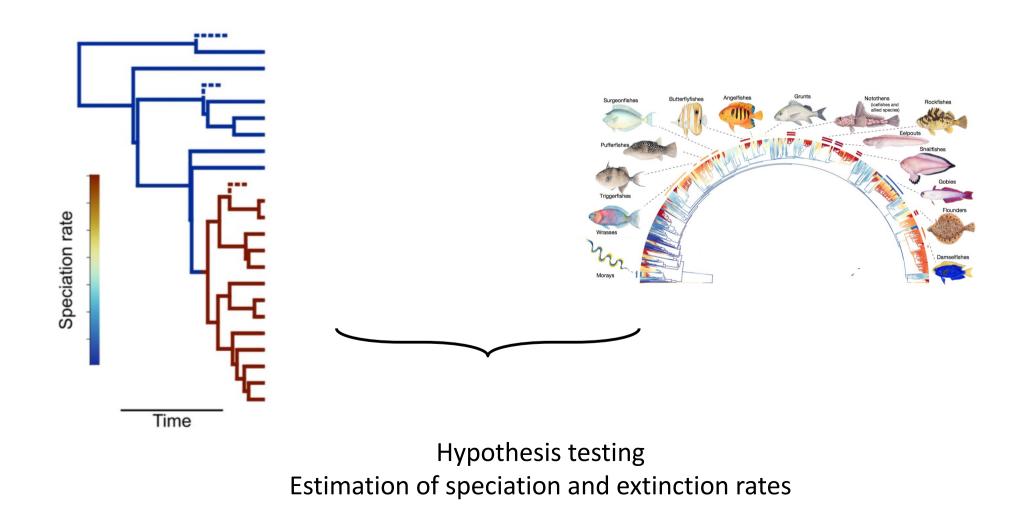


Statistical Inference

Diversification model



Phylogenetic tree



Likelihood-based inference

Given a parametric model (a model defined with one or several free parameters θ), we want to find the values of the parameters that most likely produced the data that is actually observed.

The likelihood function is defined as: $L_x(\theta) = f_{\theta}(x)$ where $f_{\theta}(x)$ is the probability of observing a realization x under the model for parameters fixed at the value θ

The maximum likelihood estimate of θ is the value of θ that maximize $L_x(\theta)$ with x the observed data

Likelihood-based inference

Given a family of parametric models, we want to find the model that most likely produced the data that is actually observed.

Step 1: we fit each model to the data, meaning that for each model, we find the set of parameters that maximize $L_x(\theta)$, and we record the value of the maximum likelihood.

Step 2: we compare the values of the likelihood associated to each model.

case #1: the different models have the same number of parameters -> the model with highest likelihood is selected

case #2: the models are nested (the more complex model can be transformed into the simpler model by imposing a set of constraints on the parameters) -> sequential likelihood ratio tests are used to select the 'best' model. The null hypothesis H_0 is that θ is in a specified subset Θ_0 of the parameter space Θ . The likelihood ratio is defined as:

$$\Lambda(x) = rac{\sup \set{L(heta \mid x) : heta \in \Theta_0}}{\sup \set{L(heta \mid x) : heta \in \Theta}}$$

Wilk's theorem: under $H_{0,} -2\log(\Lambda)$ is asymptotically chi-squared distributed with degrees of freedom the difference of dimensionality of Θ and Θ_0 . H_0 is rejected if $-2\log(\Lambda)$ is greater than the chi-squared value at the desired statistical significance.

Likelihood-based inference

Step 2: we compare the values of the likelihood associated to each model.

case #1: the different models have the same number of parameters

case #2: the models are nested

case #3: the models are not nested -> we compute the Akaike Information Criterion (AIC) of each model. The AIC is defined as $AIC = 2k - 2\ln(L)$ where k is the number of free parameters in the model and L is the maximum likelihood value. The model with minimum AIC value is preferred. AIC is a way to avoid overfitting by penalizing parameter-rich models

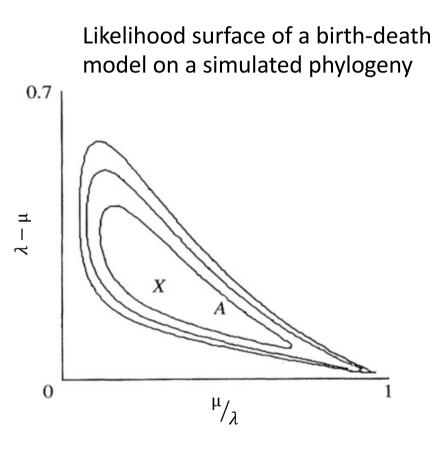
Given an empirical phylogeny, we can compare the statistical support of different diversification models, and estimate parameters of these models, i.e. λ and μ , using likelihood-based statistical inference

The likelihood is defined as

 $\mathcal{L}_{\mathbf{x}}(\mathbf{\theta}) = \mathbf{f}_{\mathbf{\theta}}(\mathbf{x})$

where $f_{\theta}(x)$ is the probability of observing x under the model for parameters θ

The ML estimate is the parameter θ that maximizes $\mathcal{L}_x(\theta)$

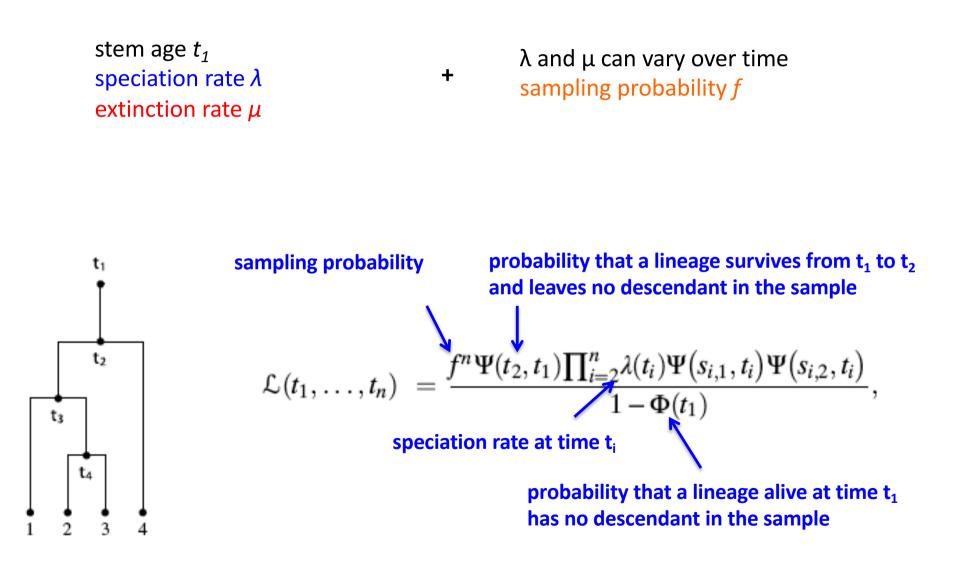


Examples

(with a focus on developments from my research group)

	Ecology Letters, (2014)	doi: 10.1111/ele.12251	
REVIEW AND			
SYNTHESIS	Phylogenetic approaches for studying diversification		
	Abstract		
élène Morlon*	Estimating rates of speciation and extinction, and unde		

Likelihood of a phylogeny of extant species under the birth-death process



Likelihood of a phylogeny of extant species under the birth-death process

birth-death model

stem age t_1 speciation rate λ extinction rate μ

λ and μ can vary over time sampling fraction *f*

t in past t_1 t_1 t_1 t_4 t_5 t_5 t_6 t_7 t_8 t_8 t_8

 $\Phi(t) = \mathbb{P}\{\text{a lineage is } \textit{not in the sample}|\text{it was alive at the time } t\}$

+

$$\Phi(t + \Delta t) = \mu(t)\Delta t + (1 - \mu(t)\Delta t)\lambda(t)\Phi^{2}(t) + (1 - \mu(t)\Delta t)(1 - \lambda(t)\Delta t)\Phi(t) + o(\Delta t).$$

 $\Delta t \rightarrow 0$

$$\frac{d\Phi}{dt} = \mu(t) - (\lambda(t) + \mu(t))\Phi(t) + \lambda(t)\Phi^{2}(t)$$

$$\Phi(t) = 1 - \frac{e^{\int_0^t \lambda(u) - \mu(u)du}}{\frac{1}{f} + \int_0^t e^{\int_0^s \lambda(u) - \mu(u)du} \lambda(s)ds}$$

Unbiased parameter estimates

Exponential decay of speciation rate, constant extinction

Exponential increase of extinction rate, constant speciation

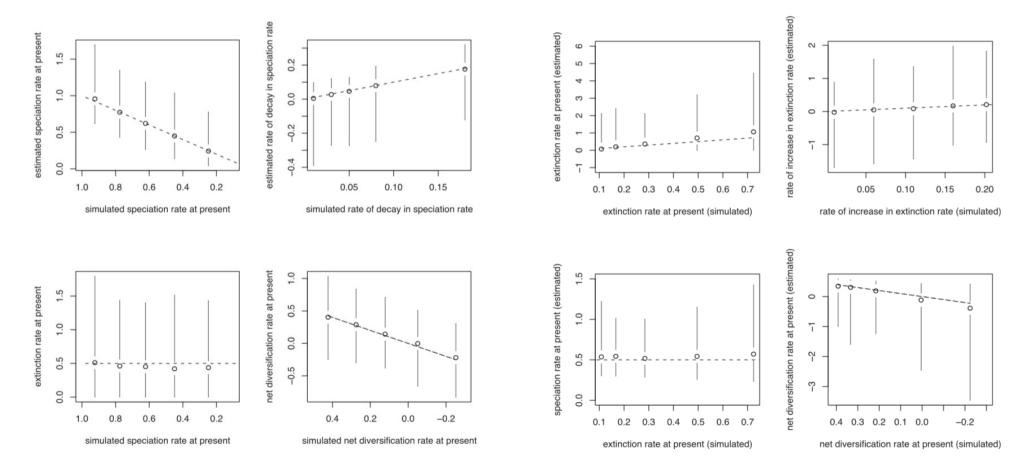
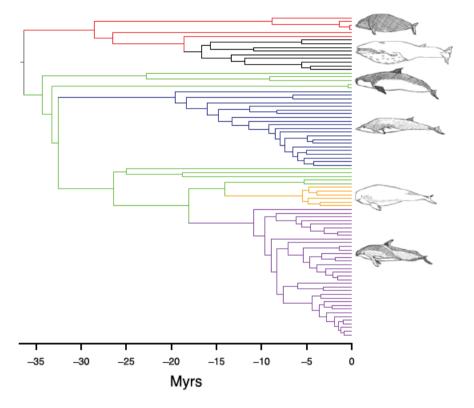


Illustration: the diversification of cetaceans

We can test the statistical support of models where diversification rates "shift" at the base of major families

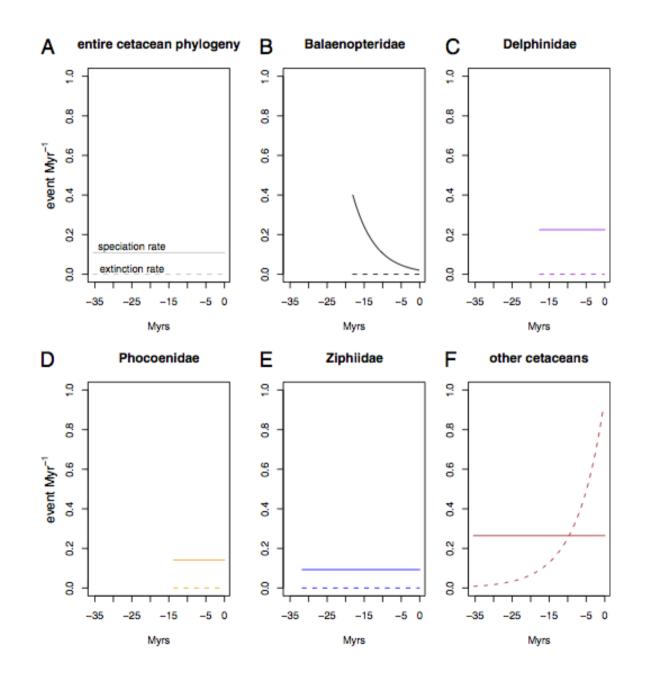
Support for a 4-shift rate model in the cetacean phylogeny



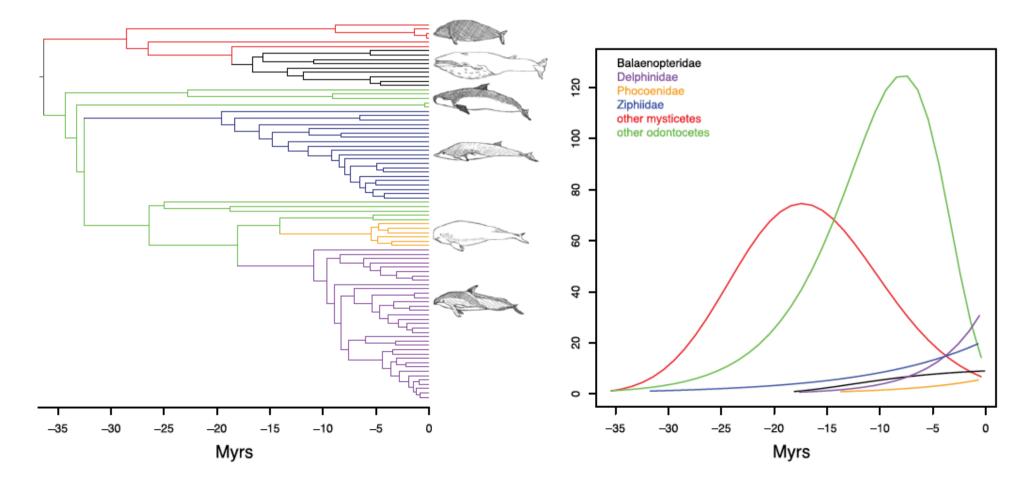
Model	nb	Description	LogL	AIC _c
No shift	1	Best fit model	-279.03	560.08
One shift	5	Best fit model: shift in the Delphinidae	-262.93*	536.22
Two shifts	6	Best fit model: shifts in the Delphinidae and Phocoenidae	-260.17 [†]	532.85
Three shifts	7	Best fit model: shifts in the Delphinidae, Phocoenidae and Ziphiidae	-256.13 [‡]	526.94
Four shifts	8	Best fit model: shifts in the Delphinidae, Phocoenidae, Ziphiidae, and Balaenopteridae	-250.13	517.14

Table S2. Statistical support for rate shifts in the cetacean phylogeny

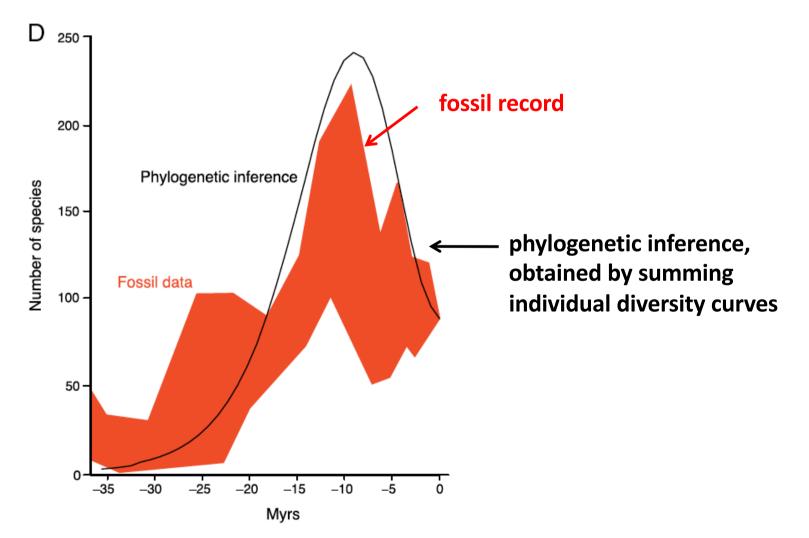
We can compute estimates of speciation and extinction rates through time



Resulting estimates of diversity through time : boom-then-bust diversity dynamics



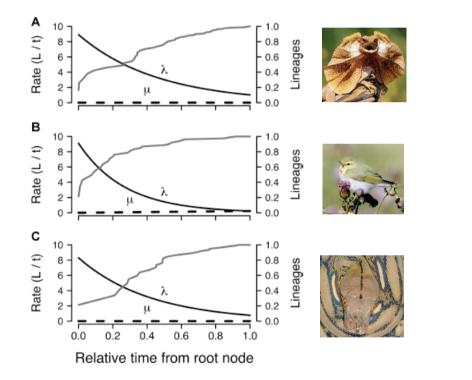
The resulting diversity curve is consistent with the fossil record

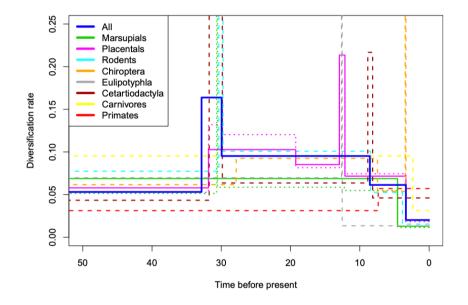


Do rates of species diversification vary through time? How?

Speciation rates often decline through time

Estimates obtained by maximum-likelihood fit of birth-death models to phylogenies of present-day species





Stadler *et al.* PNAS 2011

Rabosky & Lovette Evolution 2008

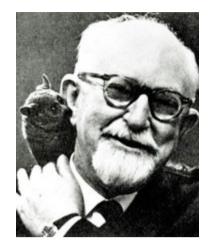
Why do rates of species diversification vary through time?



Most diversity of life on Earth arises from adaptive radiations, the fast diversification of ecological traits in a rapidly speciating group of organisms

George Gaylord Simpson

Under this hypothesis, diversification is fast in the presence of ecological opportunities, but slows down as these opportunities are exploited by an increasing number of species, generating so-called « Early burst » patterns.



Diversity slowdowns linked to limited ecological opportunities and the diversitydependent diversification model

George Gaylord Simpson



Diversity-dependence brings molecular phylogenies closer to agreement with the fossil record

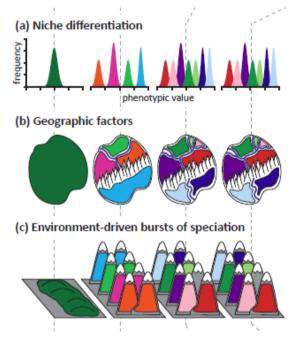
Rampal S. Etienne, Bart Haegeman, Tanja Stadler, Tracy Aze, Paul N. Pearson, Andy Purvis and Albert B. Phillimore

$$\lambda_n = \max\left(0, \lambda_0 - (\lambda_0 - \mu) \frac{n}{K}\right)$$
 and $\mu_n = \mu$

Maximum number of species

Why does diversification slow down?

Daniel Moen and Hélène Morlon

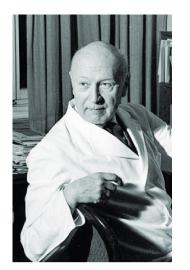




Trends Ecol Evol 2014

Why are diversification slowdowns observed even when species do not coexist (and therefore do not compete for ecological opportunities)?

Do interactions with closely-related species necessarily impede diversification?



The evolutionary speed hypothesis and other climate-related hypotheses

Bernhard Rensch

Warmer climates select for small-bodied species, which have fast generation times, high mutation rates, and therefore potentially higher speciation rates

Metabolic activity is faster under warm climates, potentially increasing the action of free radicals and increasing mutation rates

Warmer climates are often associated with increased climatic stability and productivity, which could promote speciation

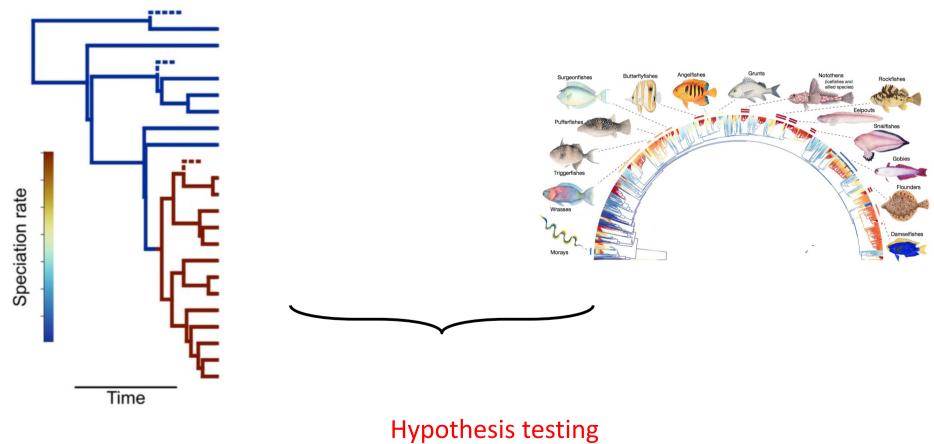
Could diversification slowdowns be related to the cooling of the Earth during the Cenozoic?

Statistical Inference

Diversification model



Phylogenetic tree



using likelihood comparison

Models of diversification with rates that depend on measured (a)biotic variables

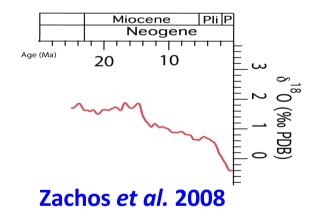


$$\begin{array}{ccc}
\mathbf{E}_{1} & \mathbf{E}_{2} & \widetilde{\lambda}(t) = \lambda(t, E_{1}(t), E_{2}(t), \dots, E_{k}(t)) \\
\widetilde{\mu}(t) = \mu(t, E_{1}(t), E_{2}(t), \dots, E_{k}(t)) \\
\mathcal{L}(t_{1}, \dots, t_{n}) = \frac{f^{n}\Psi(t_{2}, t_{1})\prod_{i=2}^{n}\lambda(t_{i})\Psi(s_{i,1}, t_{i})\Psi(s_{i,2}, t_{i})}{1 - \Phi(t_{1})}
\end{array}$$

Condamine *et al.* Eco Lett 2013 Lewitus *et al.* Syst Bio 2018

Did past climatic changes affect diversification rates? How?



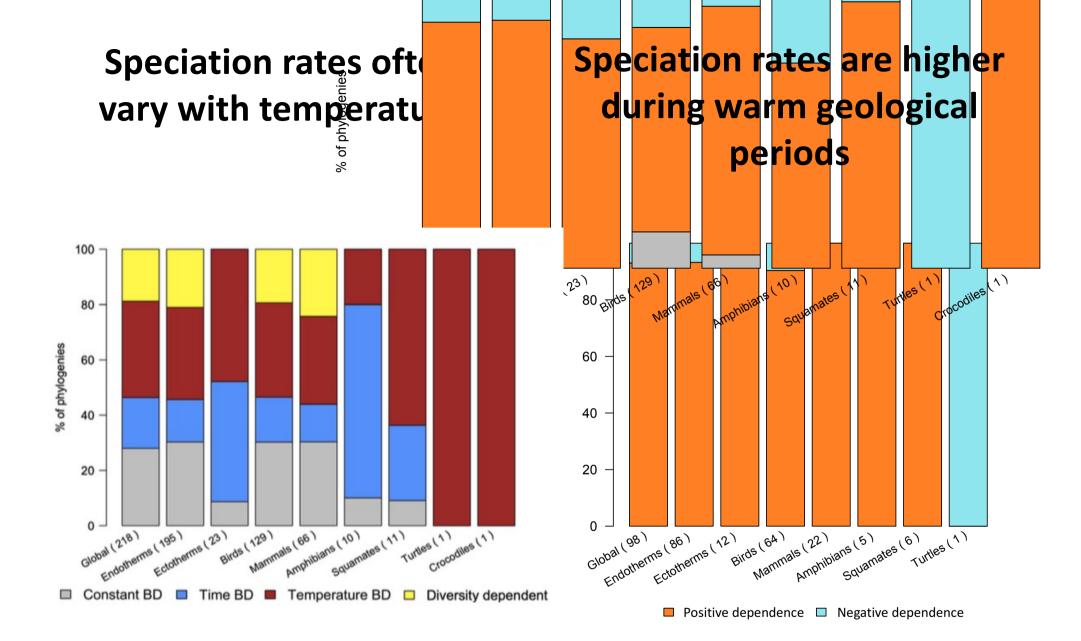


218 phylogenies of tetrapod families

Comparison of 22 models including constant rate diversification models, models with time-varying rates, diversity-dependent rates, and temperature-dependent models

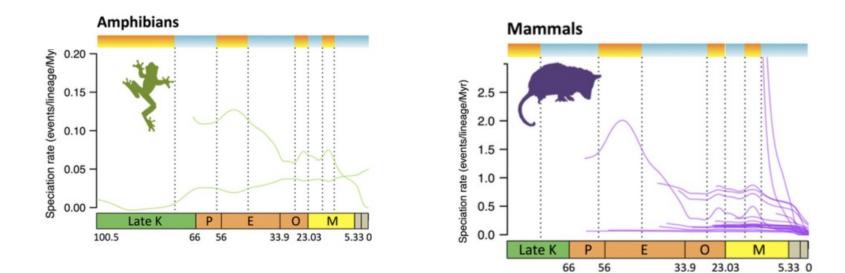


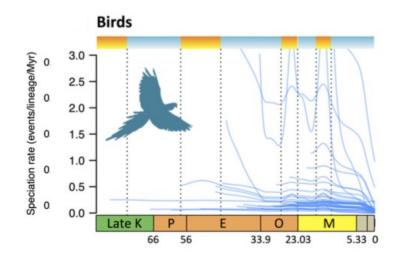
Condamine et al. Eco Lett 2019



Condamine et al. Eco Lett 2019

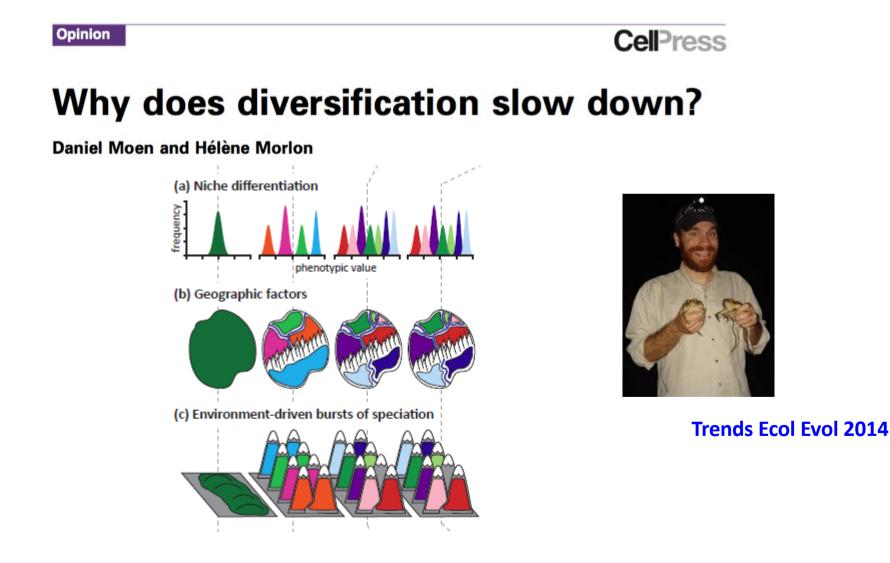
Climate cooling during the Cenozoic results in a slowdown in diversification



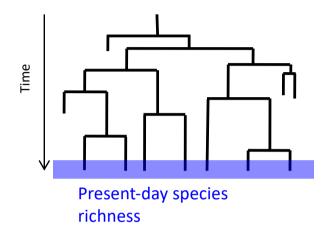


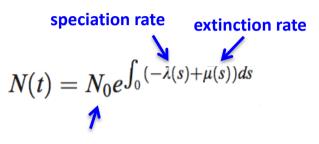
Condamine et al. Eco Lett 2019

Climate cooling provides a potential alternative explanation for speciation rates slowdowns to the often invoked filling of niche space



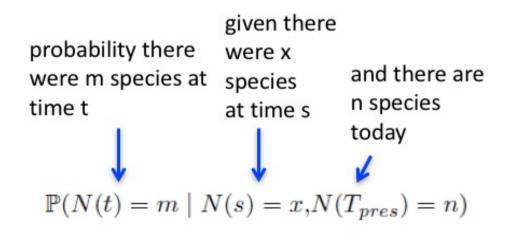
From estimates of speciation and extinction rates to estimates of past diversity





number of species today

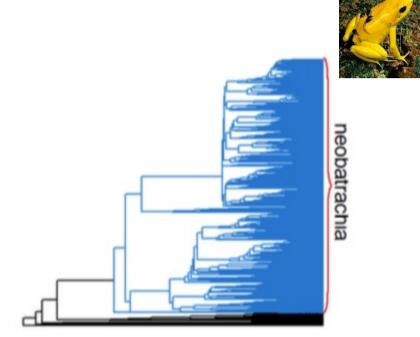
Morlon et al. PNAS 2011





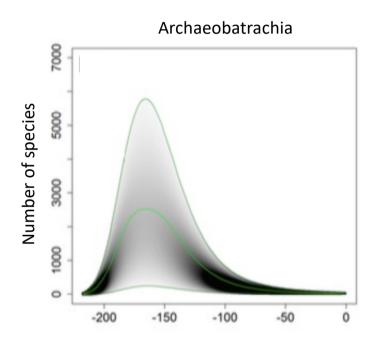
Olivier Billaud

Are old and species-poor groups groups that have always be poor, or are they the remnants of a diverse past?



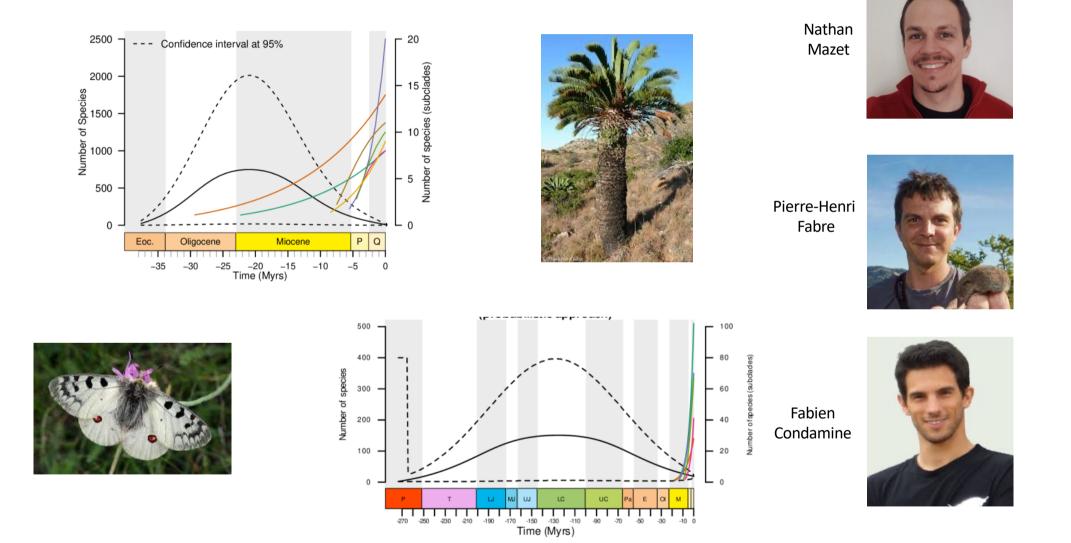
Archaeobatrachia





Old and poor frog families are the remnant of a diverse past

Other examples of old and poor groups that are the remnant of a diverse past



Mazet et al. Methods Ecol Evol 2023

Do rates of species diversification vary across lineages? How & Why?

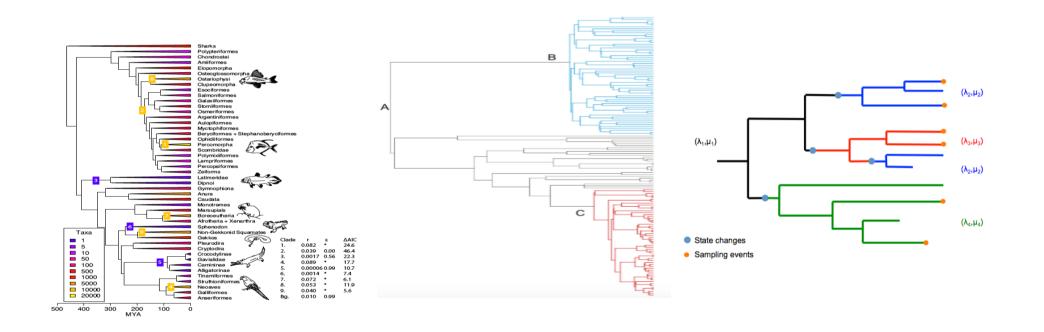


Most diversity of life on Earth arises from adaptive radiations, the fast diversification of ecological traits in a rapidly speciating group of organisms

George Gaylord Simpson

Under this hypothesis, bursts of diversification are clade-wide, linked to the rapid filling of a niche space that has been freed from other occupants (e.g. by major environmental changes) or opened by a major key innovation.

Heterogeneous birth-death models with clade-wide rate variation: few rate shifts with large effects

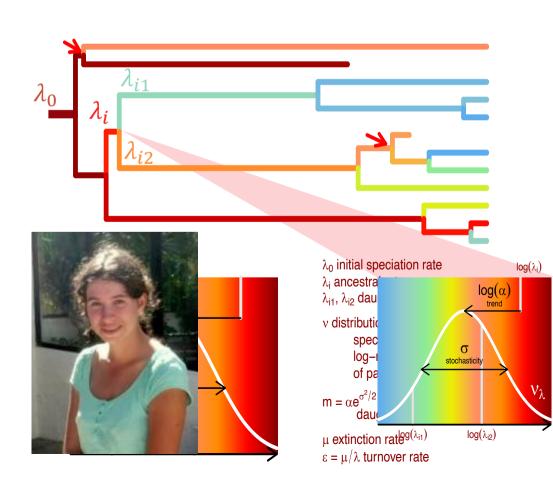


MEDUSA Alfaro et al. PNAS 2009 BAMM Rabosky PloS One 2014 MSBD Barido-Sottani *et al.* Syst Bio 2020

Another view of diversification

The complex interplay between species evolving ecologies and their specific spatial and environmental context results in higly dynamic diversification rates

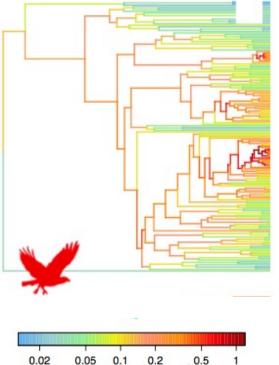
The Cladogenetic Diversification rate Shift model (ClaDS): a new model with lineage-specific rate variation



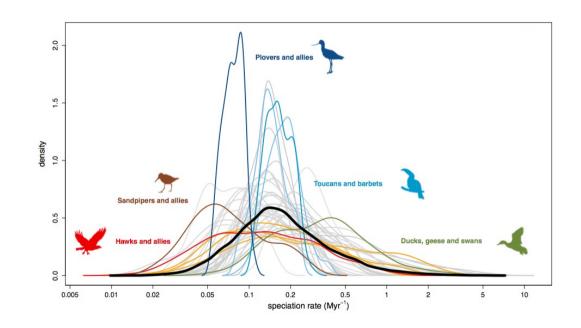
- λ_0 initial speciation rate
- lpha deterministic trend
- σ^2 stochastic variation
- $\varepsilon = \mu_i / \lambda_i$ relative extinction rate

Maliet *et al. Nature Ecology & Evolution* 2019

Speciation rates vary widely across lineages

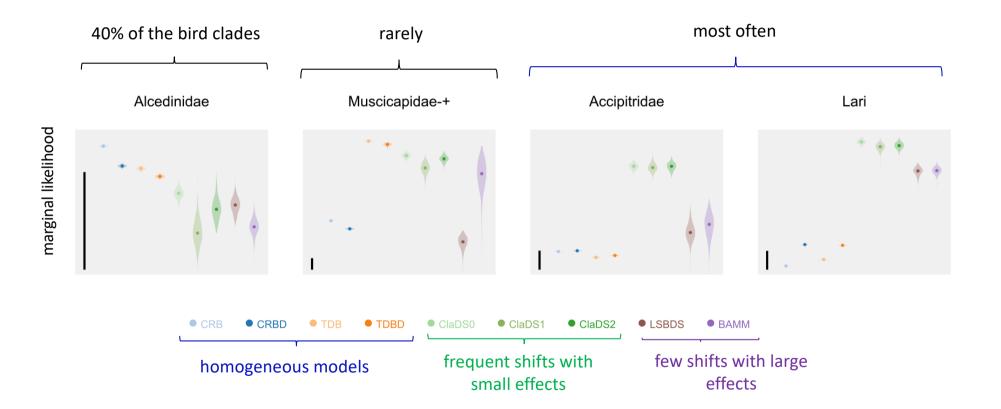


0.02 0.05 0.1 0.2 0.5 speciation rate (Myr⁻¹)



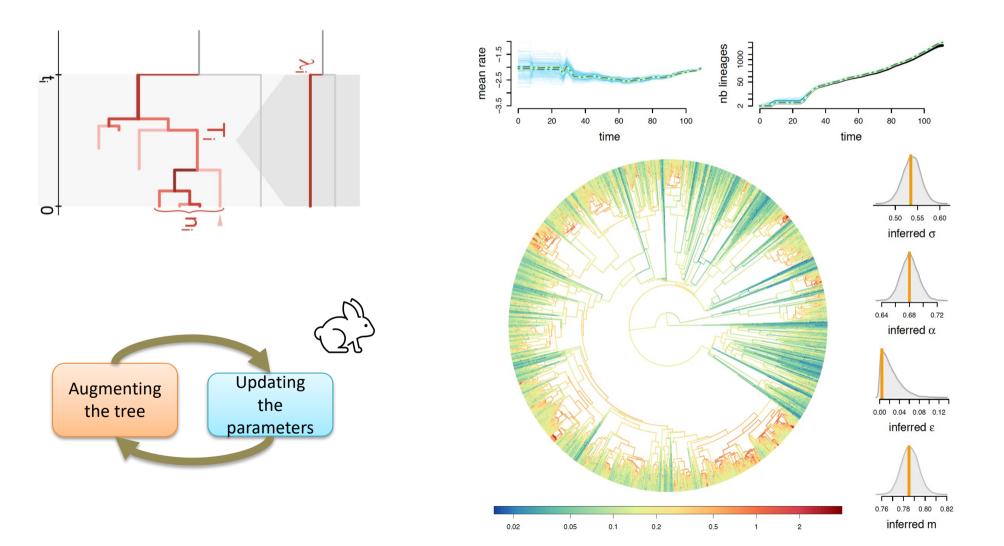
Maliet *et al.* Nature Ecol Evol 2019

Models with many small shifts are better supported than models with few large shifts



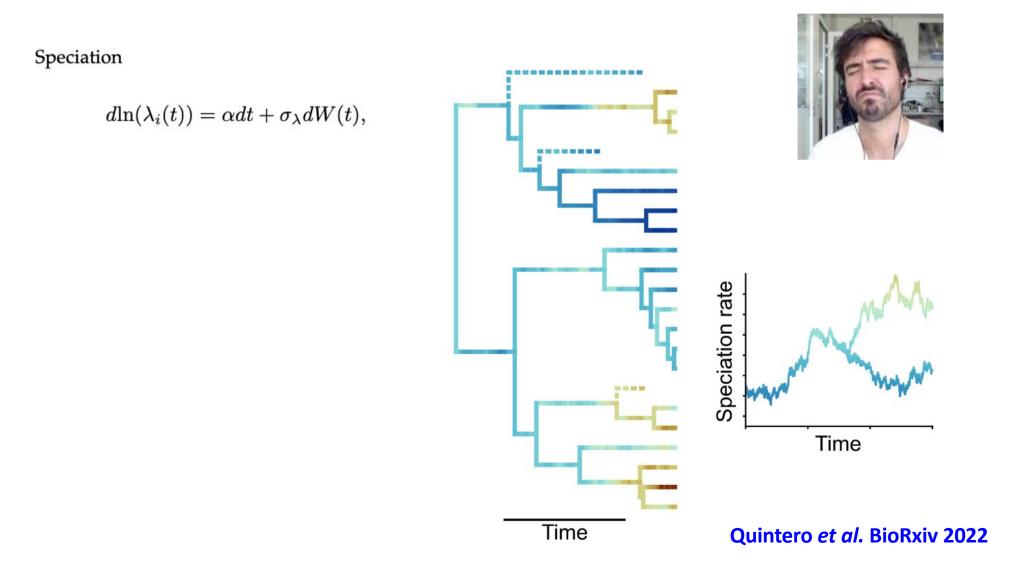
Ronquist et al. Comm Biol 2021

Faster and improved inference with Bayesian Data Augmentation



Maliet & Morlon Syst Bio 2021

The Birth-Death Diffusion model (BDD): continuous diffusion of diversification rates



The Birth-Death Diffusion model (BDD): continuous diffusion of diversification rates

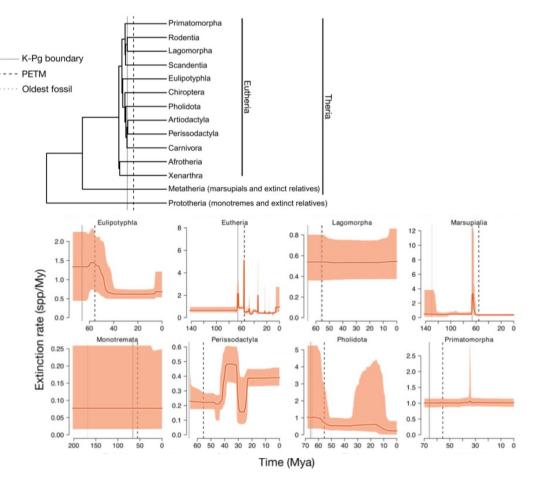
Extinction not constrained by fossil information

- No extinction
- Constant extinction
- Constant turnover
- Follows a Geometric Brownian Motion (GBM)

 $d\ln(\mu_i(t)) = \sigma_\mu dW(t),$

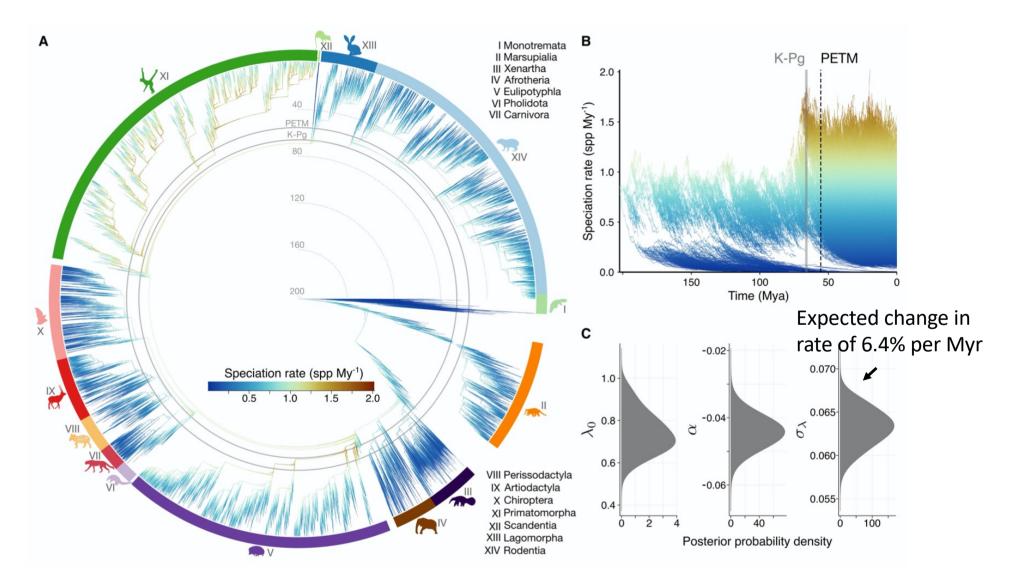
where W(t) denotes the Wiener process.

Extinction constrained by fossil information



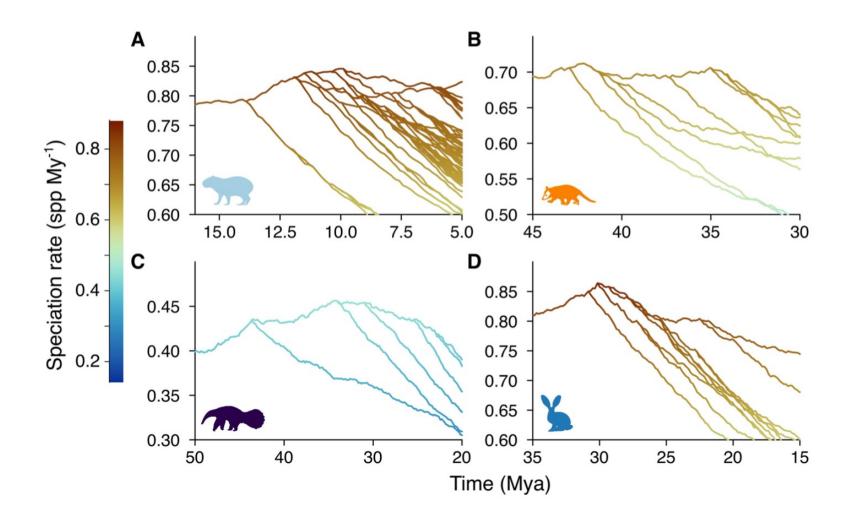
Quintero et al. BioRxiv 2022

Speciation rates vary widely across lineages



Quintero et al. BioRxiv 2022

Imbalanced speciation pulses

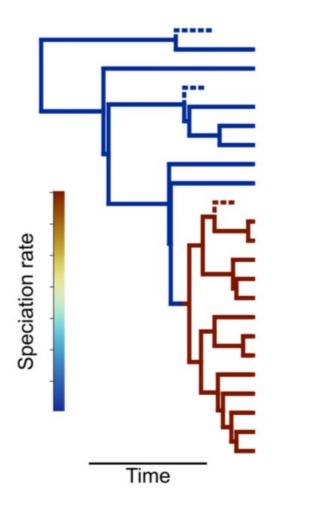


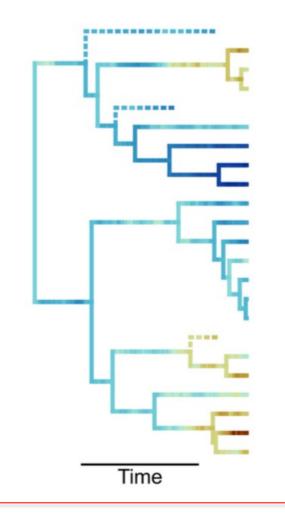
Quintero et al. BioRxiv 2022



Major key innovations Adaptive radiations

Complex interplay between species evolving ecologies and their specific spatial and environmental context

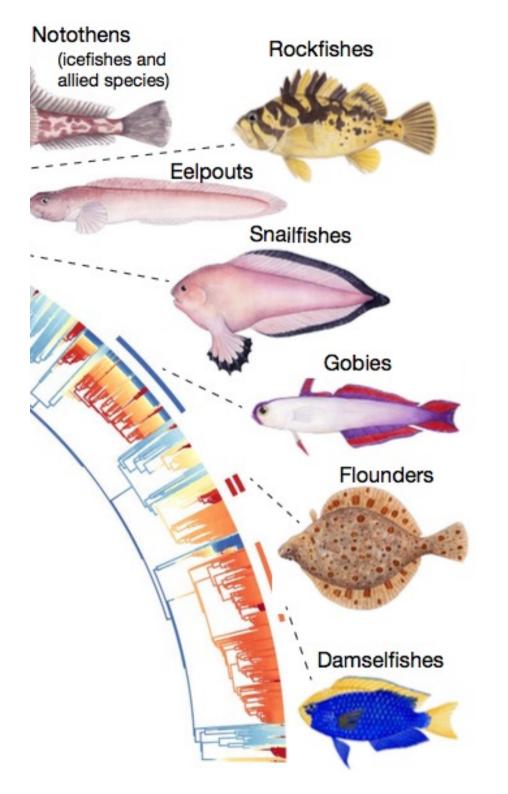




Take-home message

Applying stochastic birth-death models to empirical phylogenies is powerful for understanding modes and rates of species diversification

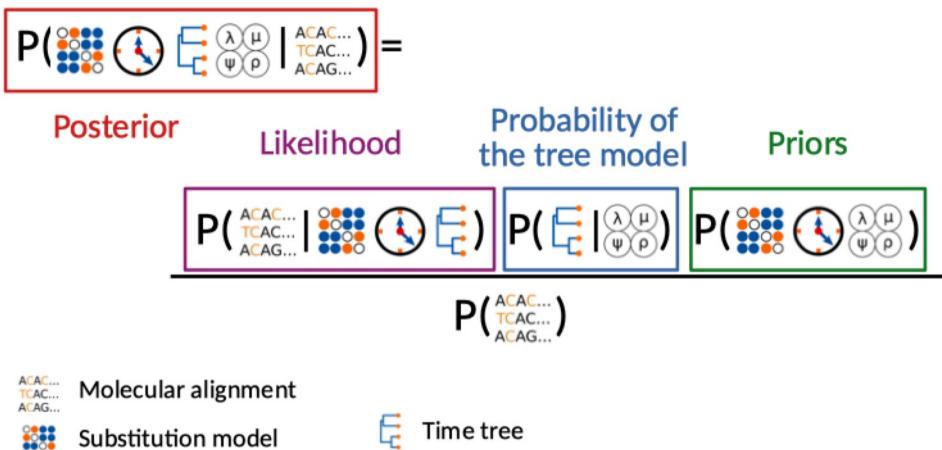
Diversification rates vary through time and across lineages



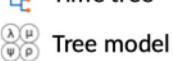
We have considered the (dated) phylogenetic tree as **data**

Why should you care even if the only thing you are interested in is inferring the tree?

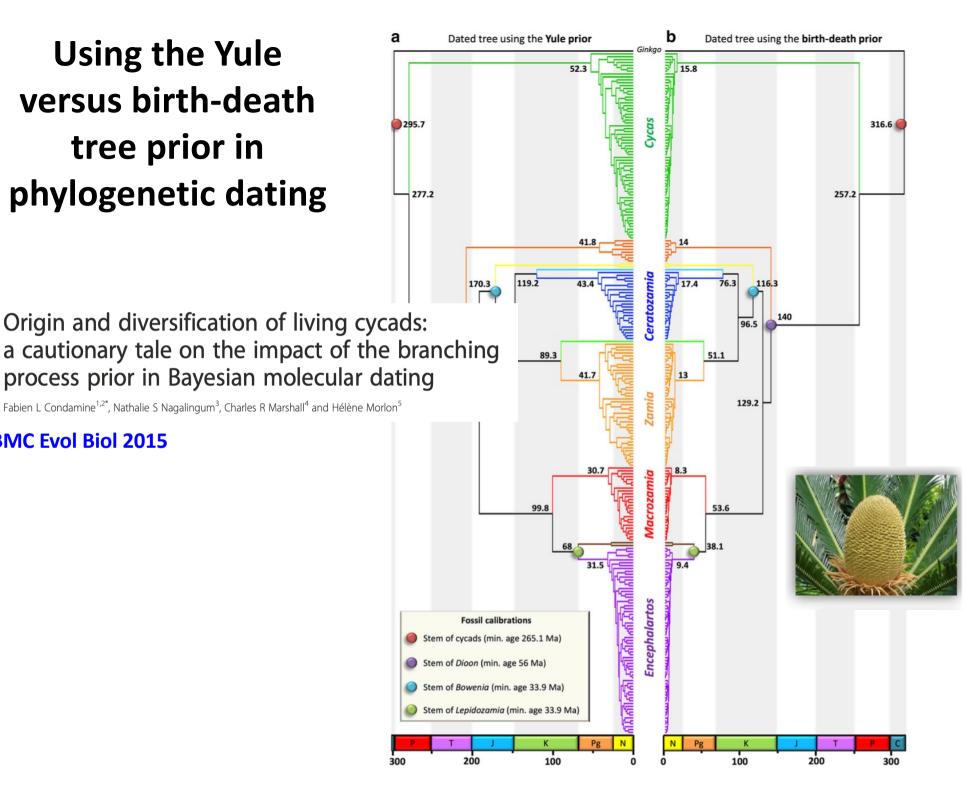
The tree model is a prior in Bayesian phylogenetic reconstruction!



Clock model



Using the Yule versus birth-death tree prior in phylogenetic dating

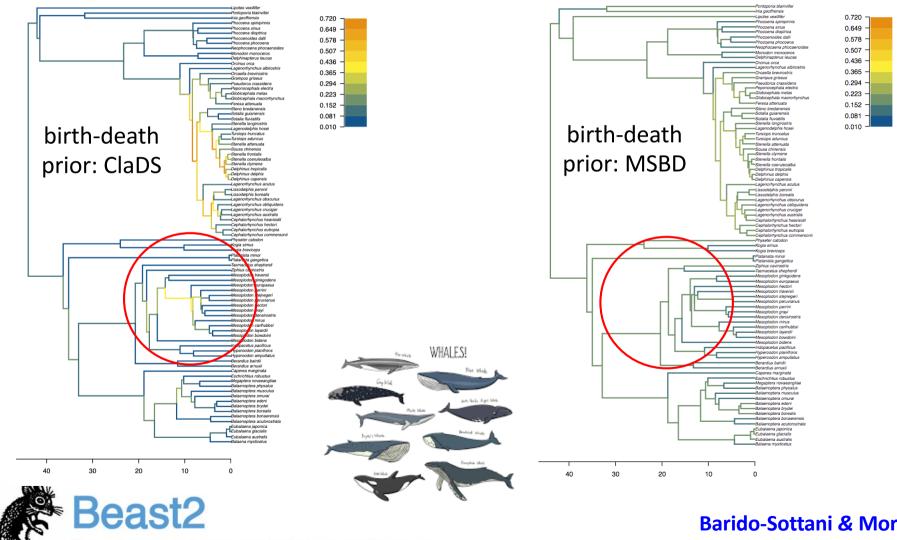


Fabien L Condamine^{1,2*}, Nathalie S Nagalingum³, Charles R Marshall⁴ and Hélène Morlon⁵

BMC Evol Biol 2015



ClaDS now integrated in BEAST2 for Bayesian full phylogenetic inference: accounting for rate heterogeneity influences phylogenetic reconstruction



Bayesian evolutionary analysis by sampling trees

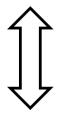
Barido-Sottani & Morlon Syst Bio 2023

What are the factors that modulate diversification rates?



The Court Jester

EXTRINSIC





The Red Queen

INTRINSIC



Abiotic factors climatic variation geological context

Biotic factors competition mutualistic and antagonistic interactions

Species-specific traits reproduction mode life-history traits dispersal capacity

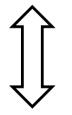
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The Court Jester

EXTRINSIC





The Red Queen

INTRINSIC

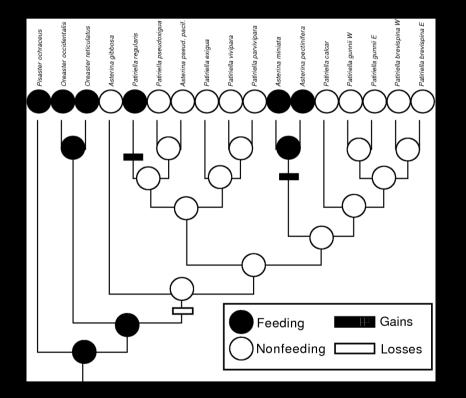


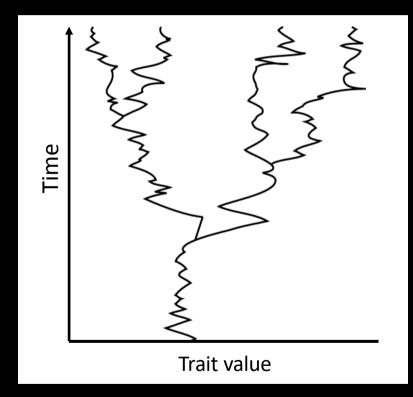
Abiotic factors climatic variation geological context

Biotic factors competition mutualistic and antagonistic interactions

Species-specific traits Genomic features! Genome size, genome/gene duplication, TEs.....

Trait evolution on trees





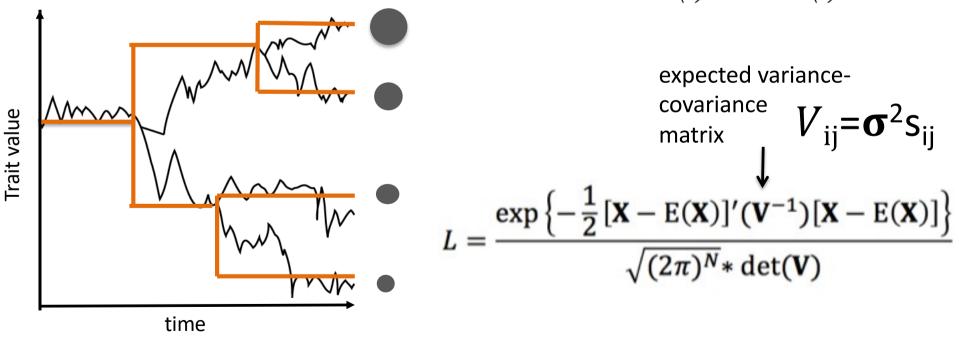
Constant rate model of phenotypic evolution

We model the evolution of a quantitative trait *X* on a fixed, ultrametric, bifurcating species tree with branch lengths in unit of time, assumed to be known.

Evolutionary drift

The trait evolves according to a Brownian process with rate σ

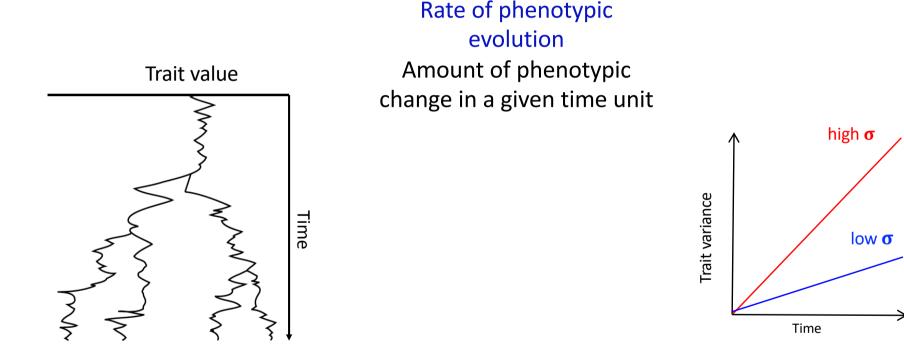
 $dX(t) = \sigma dB(t)$



Felsenstein 1973

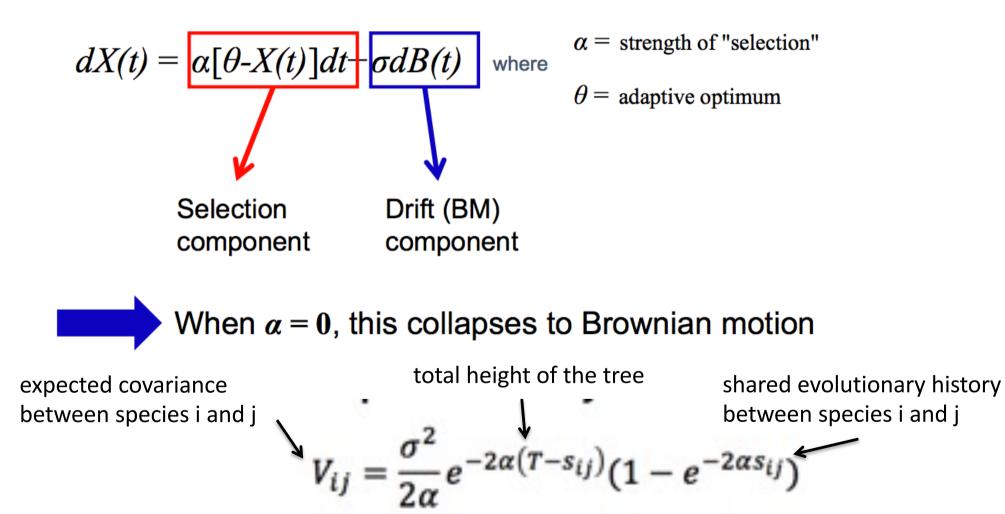
 $\rightarrow \sigma$ estimated by maximum likelihood or Bayesian inference

Current levels of phenotypic diversity result from the gradual accumulation of phenotypic variance



Stabilizing selection constrains trait evolution

Ornstein-Uhlenbeck (OU): the "rubber-band" model



Hansen & Martins 1996, Butler & King 2004

Models with a presumed effect of competition under limited ecological opportunities

dX(t) : change in X(t) in an amount of time

The « Early Burst » model: trait evolution is fast in the initial phase of an evolutionary radiation, and slows down later on as an effect of limited ecological opportunity

$$dX(t) = \sigma(t)dB(t)$$
 with $\sigma^2(t) = \sigma_0^2 e^{rt}$ where r is the rate of decline
Blomberg et al. 2003

The « Diversity-dependent » model: trait evolution slows down as species pile up in a clade, therefore reducing ecological opportunity

 $dX(t) = \sigma(t)dB(t)$ with $\sigma^2(t) = \sigma_0^2 e^{bn(t)}$ where n(t) is the number of lineages in the clade at time t

Weir & Mursleen 2013



How does the (a)biotic environment modulate rates of phenotypic diversification?

$$\underset{i=1}{\overset{\text{E}_{1}}{\longrightarrow}} \left\{ \begin{array}{c} \sigma^{2}\left(t\right) = f\left(t, E_{1}\left(t\right), E_{2}\left(t\right), \dots, E_{k}\left(t\right)\right) \\ L = \frac{\exp\left\{-\frac{1}{2}[\mathbf{X} - \mathbf{E}(\mathbf{X})]'(\mathbf{V}^{-1})[\mathbf{X} - \mathbf{E}(\mathbf{X})]\right\}}{\sqrt{(2\pi)^{N}} * \det(\mathbf{V})} \right\}$$

$$V_{ij} = \int_0^{sij} \sigma^2(t) dt$$

Testing the effect of past climatic changes and rates of body-size evolution in mammals & birds



Ecology, 90(9), 2009, p. 2648 © 2009 by the Ecological Society of America

Ecology, 95(7), 2014, p. 2027

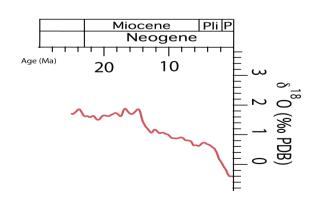
© 2014 by the Ecological Society of America

PanTHERIA: a species-level database of life history, ecology, and geography of extant and recently extinct mammals

Ecological Archives E090-184



EltonTraits 1.0: Species-level foraging attributes of the world's birds and mammals



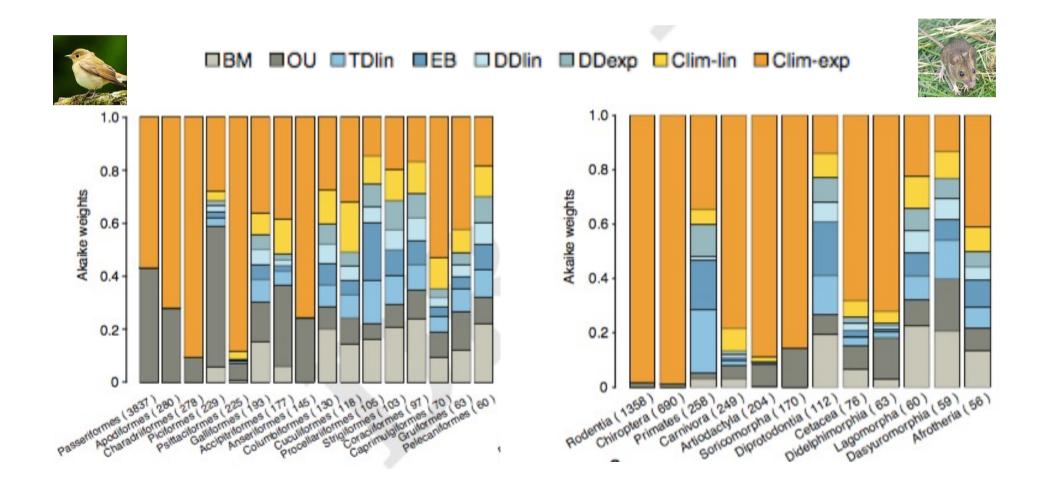
$$\sigma^2(t) = \sigma_0^2 \times e^{\beta T}$$

 $\sigma^2(t) = \sigma_0^2 + \beta T$

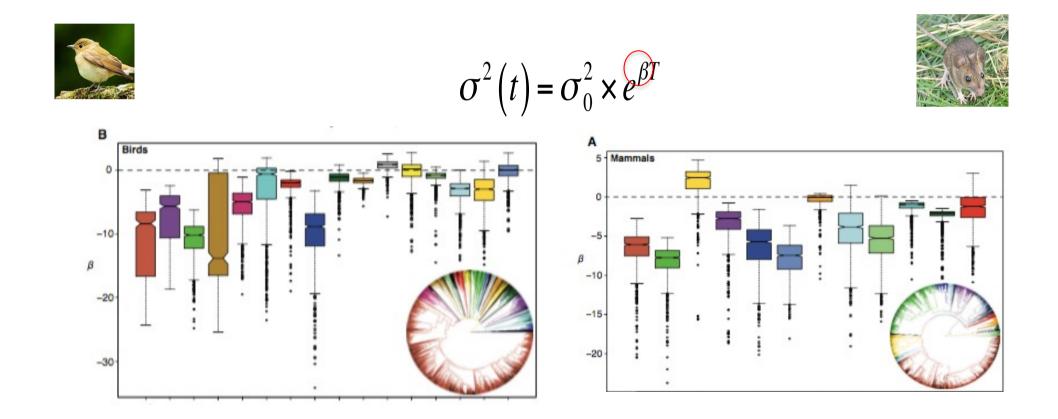
Zachos *et al.* 2008



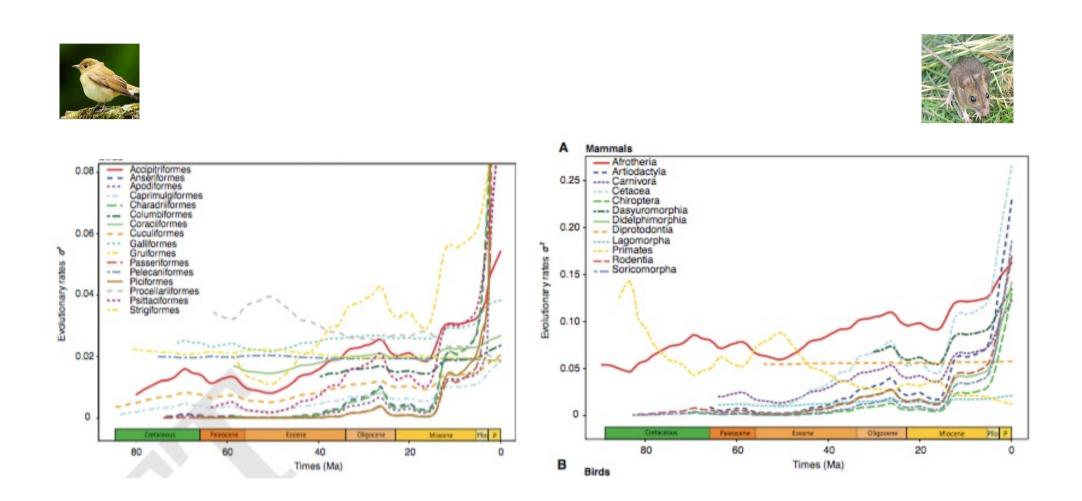
Temperature-dependent rates of phenotypic evolution is supported over 'classical' models of phenotypic evolution



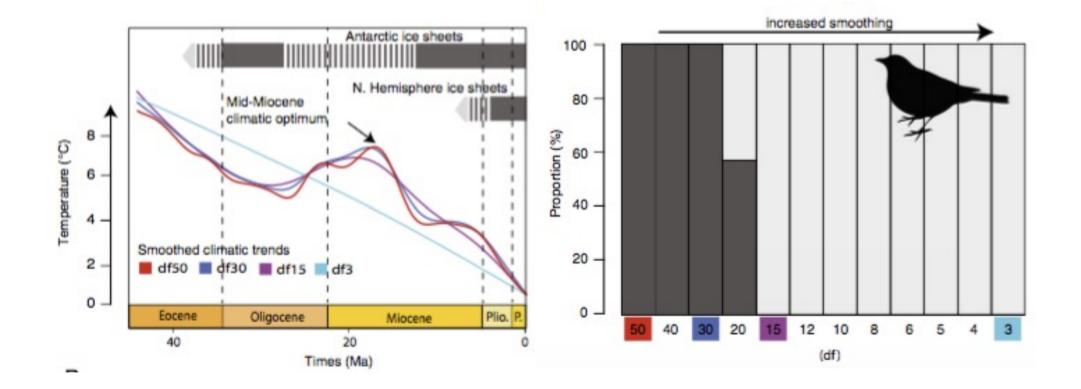
The dependence with temperature is negative (lower rates at higher temperatures)



This results in an increase in evolutionary rates over the Cenozoic

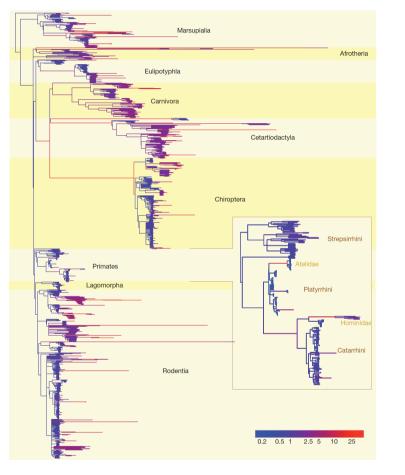


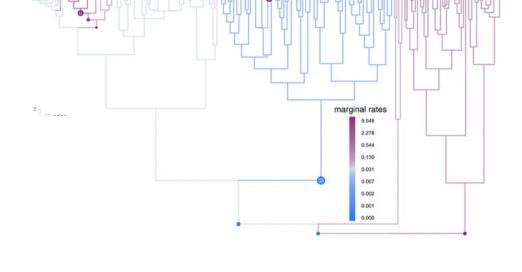
Loss of support for the climatic model when the temperature curve is smoothed suggests that support for the climatic model is real



Rates of phenotypic evolution vary across lineages

Catarrhin





Platyrrhin

Eastman et al. Evolution 2011

Strepsirrh

Venditti *et al. Nature* 2011

Models with "local clocks" – few shifts with large effects

Models of phenotypic evolution with uncorrelated or correlated clocks





Julien Clavel



Many rate shifts with small effects

Clavel et al. in prep.

Models of phenotypic evolution with many shifts & small effects are best supported



Body-size evolution in mammals

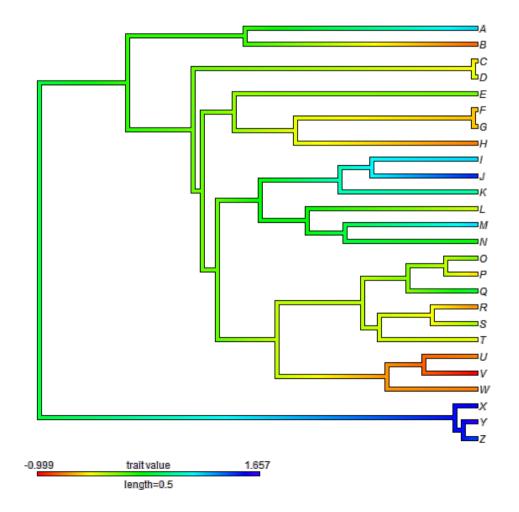
		Bovidae	Cercopithecidae	Cricetidae	Dasyuridae	Didelphidae	Heteromyidae	Muridae	Phyllostomidae	Pteropodidae	Sciuridae	Soricidae	Vespertilionidae
	# of spp	118	79	327	53	50	51	228	111	96	123	119	157
punctuated	BMJN	3 **	3.4 **	2.1 *	11.2 ***	2.5 *	3.6 **	13.3 ***	1.1 *	3.1 **	2.6 *	2.9 *	3.8 **
auto-correlated	BMNIG	4.6 **	4.6 **	2.1 *	12.3 ***	3.6 **	4.6 **	14.6 ***	2 *	4.5 **	7.2 ***	4.7 **	5 ***
	CIR	0	0	5.4 ***	0	0.9.	0.5.	1.6 *	0.	17.4 ***	4.6 **	3*	2.9 *
independent	GBM	3.1 **	0.1.	0.1.	1.9 *	0.2.	1.2 *	0	0.7.	0	5.5 ***	0	3.9 **
	LN	3.7 **	2.6 *	3.2 **	5.9 ***	0	0	6.7 ***	0	1.5 *	6.2 ***	1.7 *	0
	SVBMJN	1.7 *	0.6.	NA	4.4 **	0.7.	2 *	1.9 *	0.6.	1.9 *	0	0.8.	2.2 *
auto-correlated +	SVBMNIG	2.3 *	2.5 *	0	6.1 ***	2 *	3*	2.2 *	1.1 *	2.9 *	4.8 **	2.4 *	3.7 **
jumps	SVBMJN-CIR	1.	1.6 *	8.6 ***	4.9 **	1.9 *	1.9 *	1.7 *	2 *	14.9 ***	NA	4.2 **	4.7 **
	SVBMNIG-CIR	1.4 *	NA	NA	5.2 ***	3.4 **	2.6 *	7.6 ***	NA	16.6 ***	6.7 ***	NA	NA

Bayes factor support (Kass & Raftery 1995)

***	overwhelming support
••	strong support
•	positive support
	hardly worth mentioning
	Best model

Clavel et al. in prep.

Models of phenotypic evolution allow estimating ancestral trait values



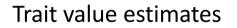
What are the factors that modulate diversification rates?

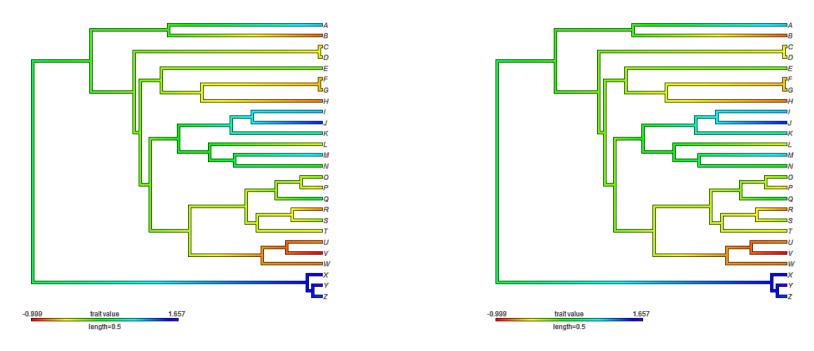
INTRINSIC



Species-specific traits reproduction mode life-history traits dispersal capacity

Diversification rate estimates





Test for correlation while accounting for shared history!

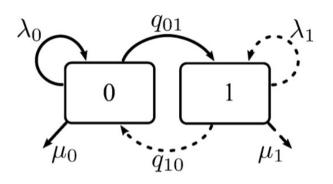
What are the factors that modulate diversification rates?

INTRINSIC

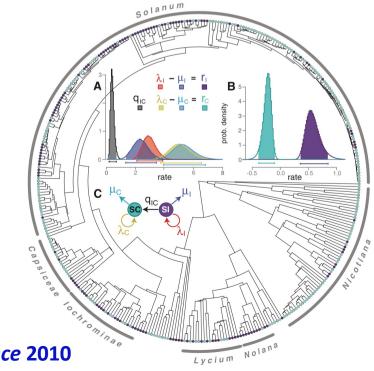


Species-specific traits reproduction mode life-history traits dispersal capacity

State-dependent Speciation-Extinction (SSE) models



Maddison *et al.* Syst Bio 2004, Fitzjohn *et al.* Syst Bio 2010, Goldberg *et al.* Syst Bio 2011, etc... Transitions to selfing happen frequently, but self-incompatible species have higher net diversification rates



Goldberg et al. Science 2010

These tools are implemented in the well-documented, userfriendly packages RPANDA, jPANDA, BEAST2 and Tapestree

doi: 10.1111/2041-210X.12526

Methods in Ecology and Evolution

Methods in Ecology and Evolution 2016, 7, 589-597

APPLICATION RPANDA: an R package for macroevolutionary analyses on phylogenetic trees

Helene Morlon¹*, Eric Lewitus¹, Fabien L. Condamine², Marc Manceau¹, Julien Clavel¹ and Jonathan Drury¹

Bayesian evolutionary analysis by sampling trees

Methods in Ecology and Evolution

Methods in Ecology and Evolution 2015, 6, 1311-1319

APPLICATION

mvмокрн: an к package for fitting multivariate evolutionary models to morphometric data

Julien Clavel^{1,2*}, Gilles Escarguel² and Gildas Merceron³







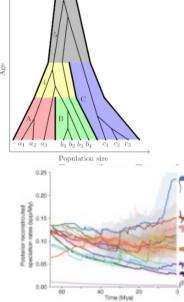
doi: 10.1111/2041-210X.12420



https://www.transmittingscience.com/



UNDERSTANDING MACROEVOLUTIONARY DYNAMICS USING RPANDA AND JPANDA



BAYESIAN PHYLOGENETIC INFERENCE WITH BEAST2

INTRODUCTION TO PROBABILISTIC INFERENCE OF PHYLOGENETIC COMPARATIVE METHODS (PCM) USING JULIA



MODELLING AND ANALYSING MULTIVARIATE TRAIT EVOLUTION USING MVMORPH

Conclusion

Stochastic models are powerful for understanding modes and rates of species and phenotypic diversification

This is fundamental for understanding current biodiversity patterns

But also for phylogenetic inference, and for understanding how genome evolution influences biodiversity dynamics



Fabien Condamine



Joëlle Barido-Sottani



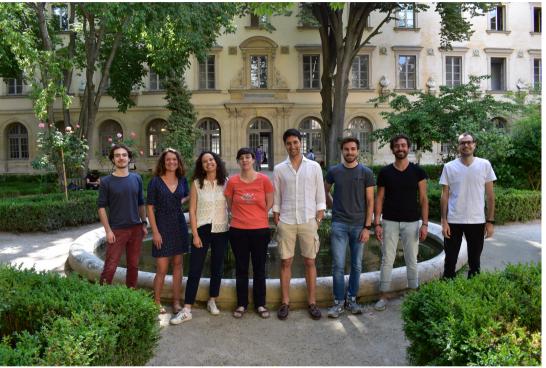
Jonathan Rolland



Ignacio Quintero









Dan Moen



Julien Clavel



Olivier Billaud



Nathan Mazet

Odile Maliet