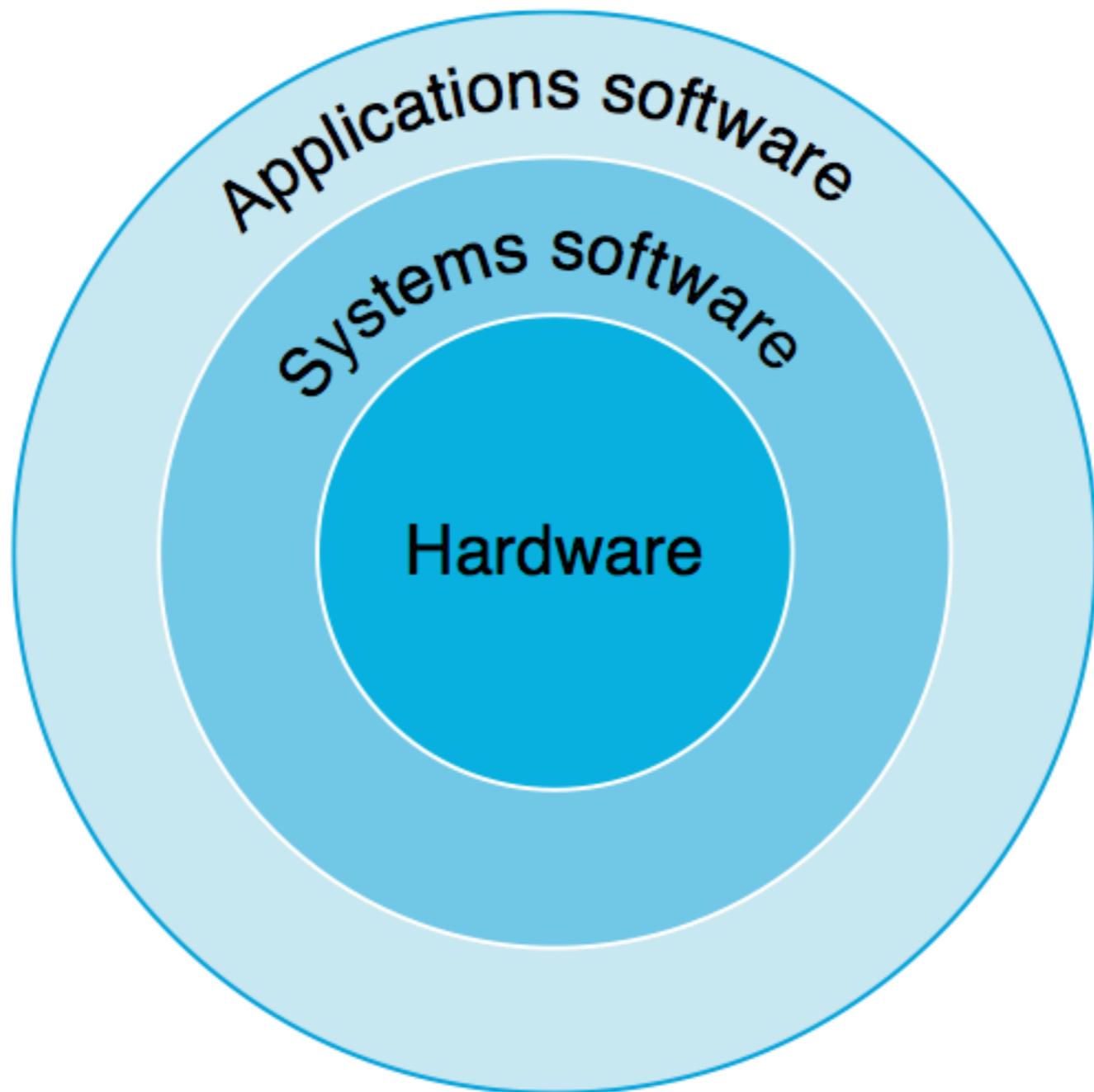
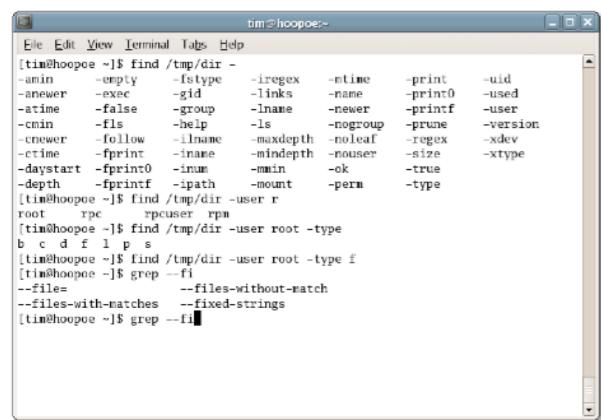


The Fundamentals of Computer Architecture



Application Software

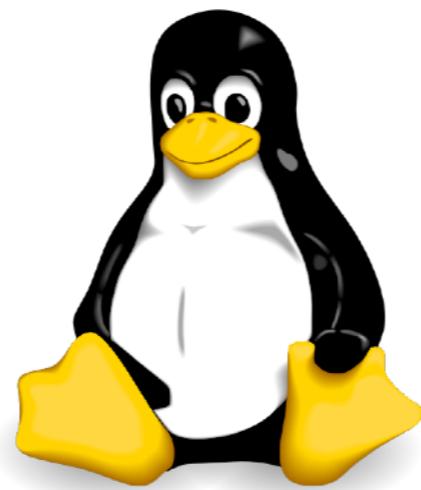


```
tim@hoopoe:~$ find /tmp/dir -  
-amin -empty -fstype -iregex -mtime -print -uid  
-anewer -exec -gid -links -name -print0 -used  
-atime -false -group -newer -printf -user  
-cmin -fls -help -is -nogroup -prune -version  
-cnewer -follow -ilname -maxdepth -noleaf -regex -xdev  
-ctime -fprint -iname -mdepth -nouser -size -xtype  
-daystart -fprint0 -inum -min -ok -true  
-depth -fprintf -ipath -mount -perm -type  
[tim@hoopoe ~]$ find /tmp/dir -user r  
root rpc rpcuser rpm  
[tim@hoopoe ~]$ find /tmp/dir -user root -type  
b c d f l p s  
[tim@hoopoe ~]$ find /tmp/dir -user root -type f  
[tim@hoopoe ~]$ grep --fi  
--files= --files-without-match  
--files-with-matches --fixed-strings  
[tim@hoopoe ~]$ grep --fi
```



Systems Software

Operating Systems



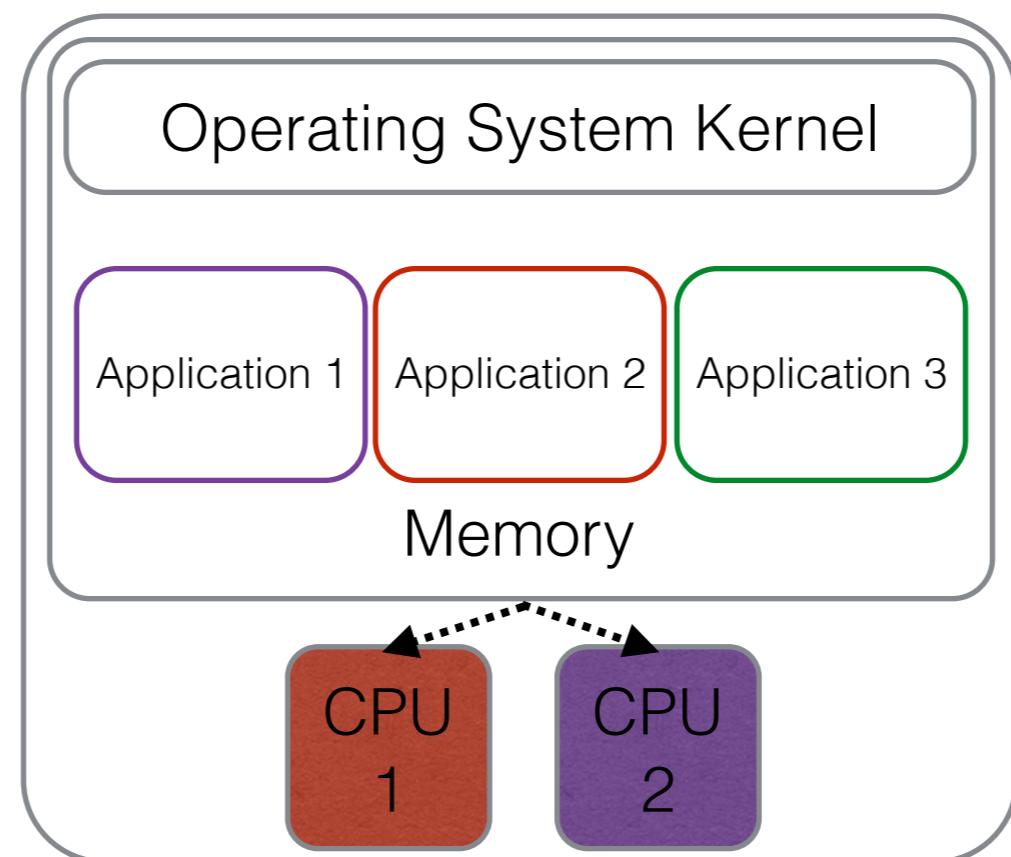
Compilers, Linkers, Assemblers



GCC:
GNU Compiler
Collection

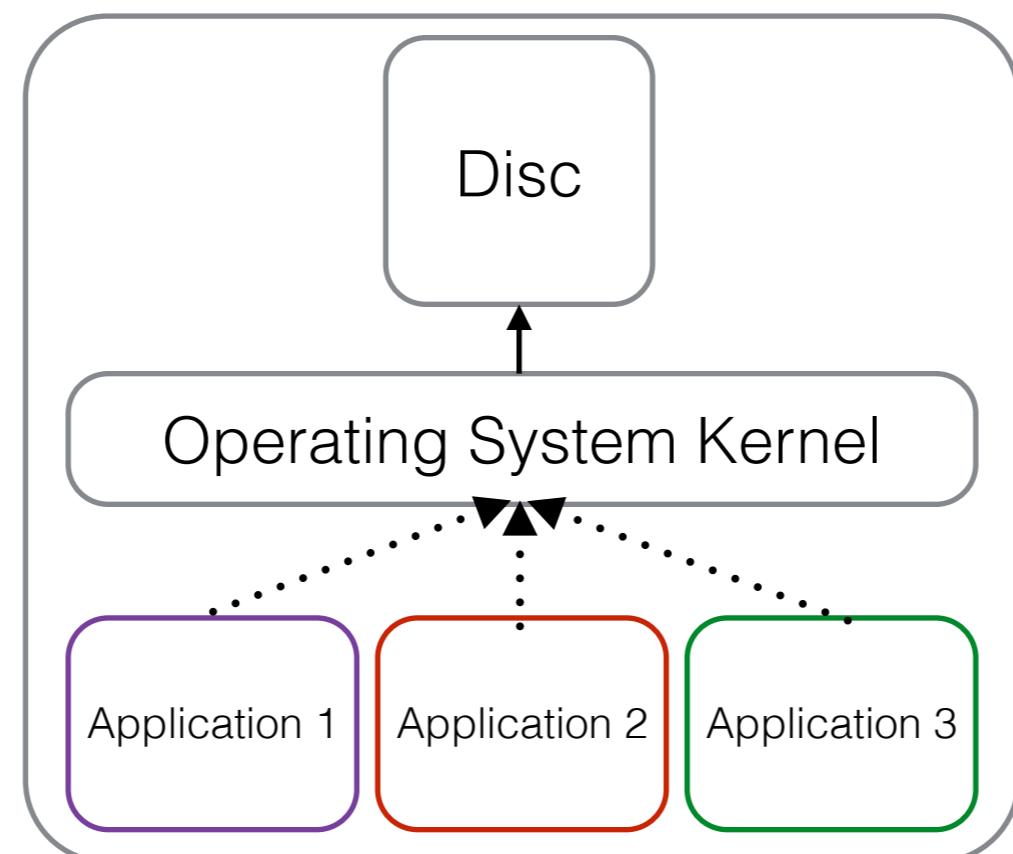
Systems Software

Operating Systems, ctd.



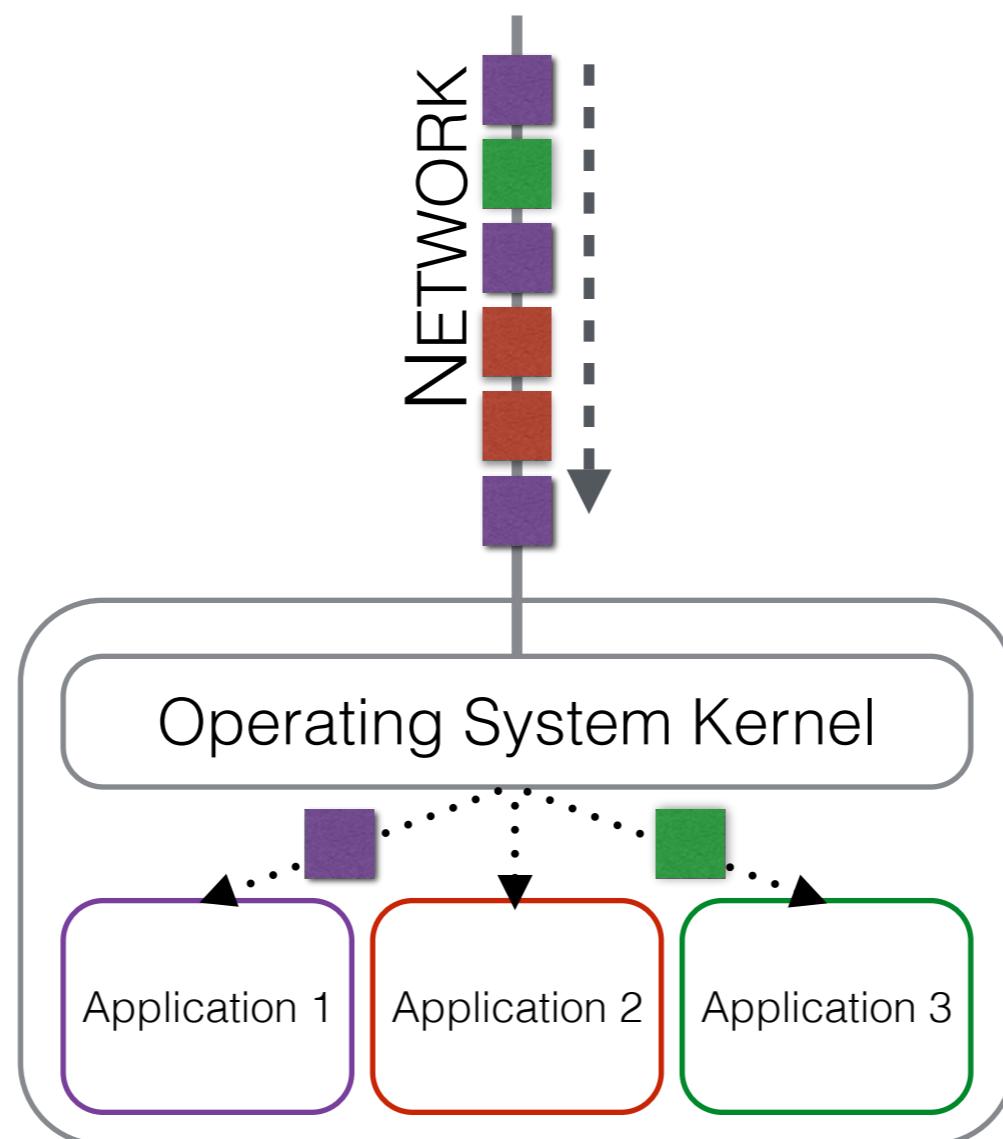
Systems Software

Operating Systems, ctd.



Systems Software

Operating Systems, ctd.



The kernel provides a common environment for applications

Systems Software

Compilers, Linkers, Assemblers

High-level Language

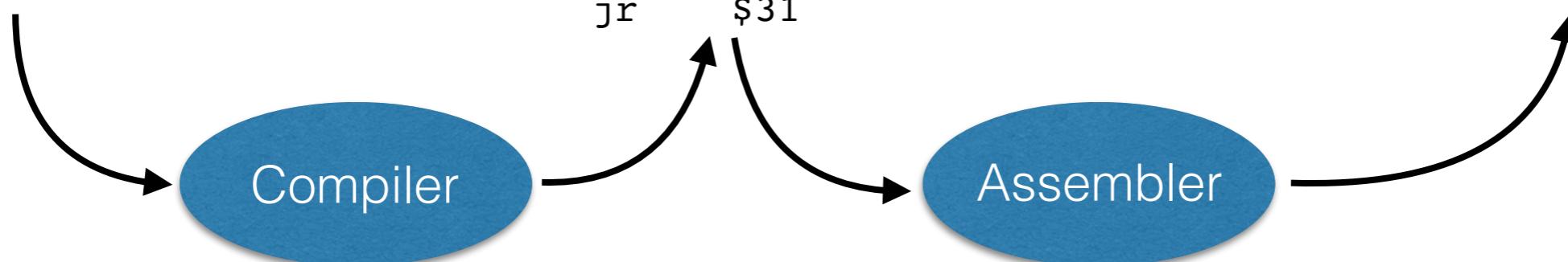
```
swap(int v[], int k)
{
    int temp;
    temp = v[k];
    v[k] = v[k+1];
    v[k+1] = temp;
}
```

Assembly Language

```
swap:  
    multi $2, $5,4  
    add    $2, $4,$2  
    lw     $15, 0($2)  
    lw     $16, 0($2)  
    sw     $16, 0($2)  
    sw     $15, 4($2)  
    jr     $31
```

Machine Language

```
00000000101000100000000100011000  
0000000010000010000100001000010  
100011011110001000000000000000000  
1000111000010010000000000000000100  
10101110000100100000000000000000000  
10101101111000100000000000000000000  
000000111110000000000000000000000000
```

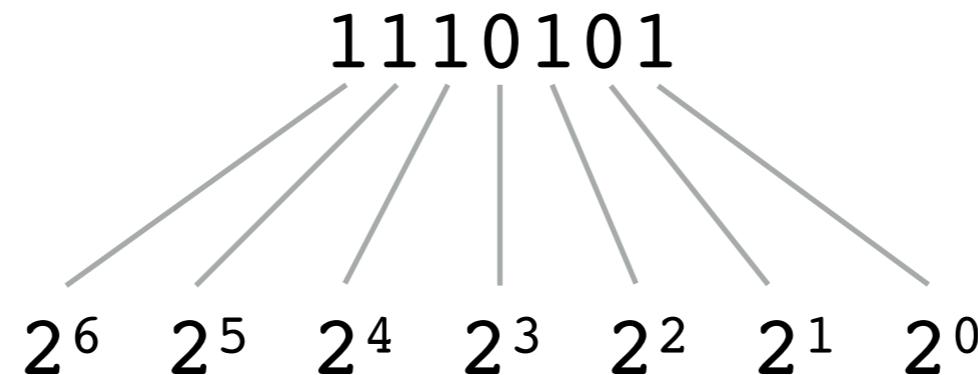


Compilers abstract the hardware

Base 10 (decimal) versus Base 2 (binary)

0	0
1	1
2	10
3	11
4	100
5	101
6	110
7	111
8	1000
9	1001
10	1010
11	1011
12	1100
13	1101
14	1110
15	1111
16	10000
17	10001
18	10010
19	10011
20	10100
...	...
99	1100011
100	1100100
101	1100101

Base 10 (decimal) versus Base 2 (binary)



Convert to Decimal:

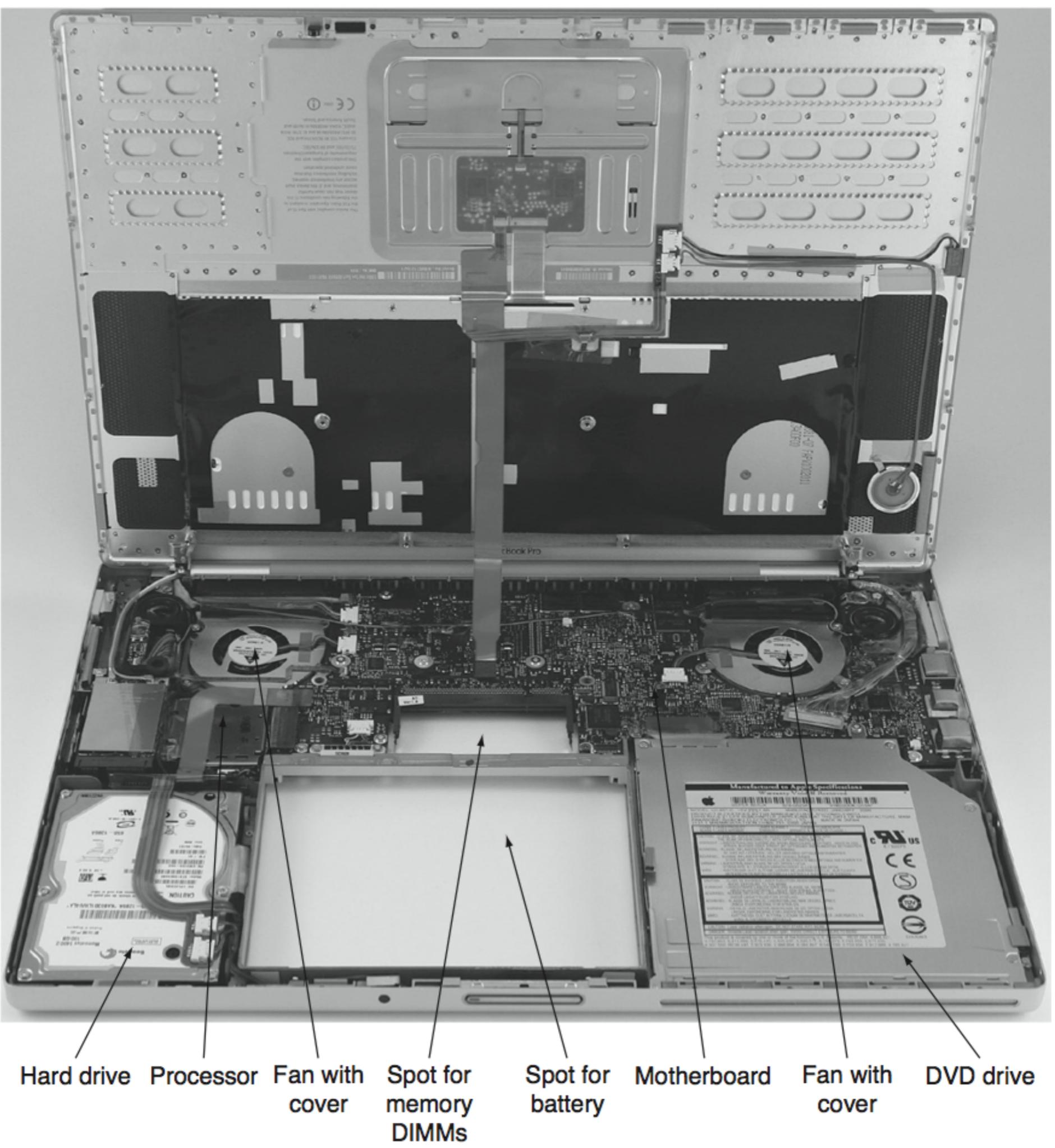
$$1 \times 2^6 + 1 \times 2^5 + 1 \times 2^4 + 0 \times 2^3 + 1 \times 2^2 + 0 \times 2^1 + 1 \times 2^0$$

$$64 + 32 + 16 + 0 + 4 + 0 + 1$$

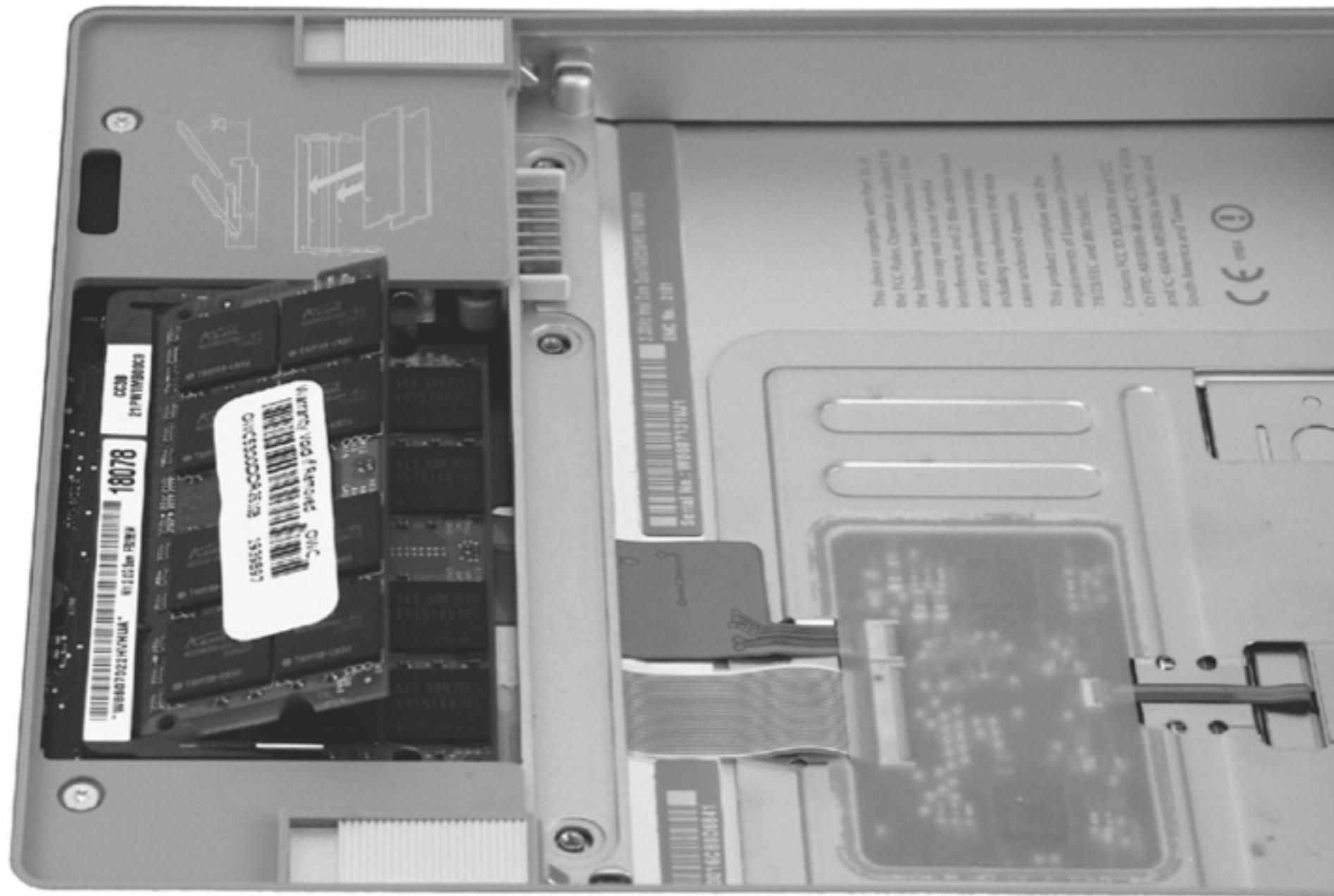
$$117$$

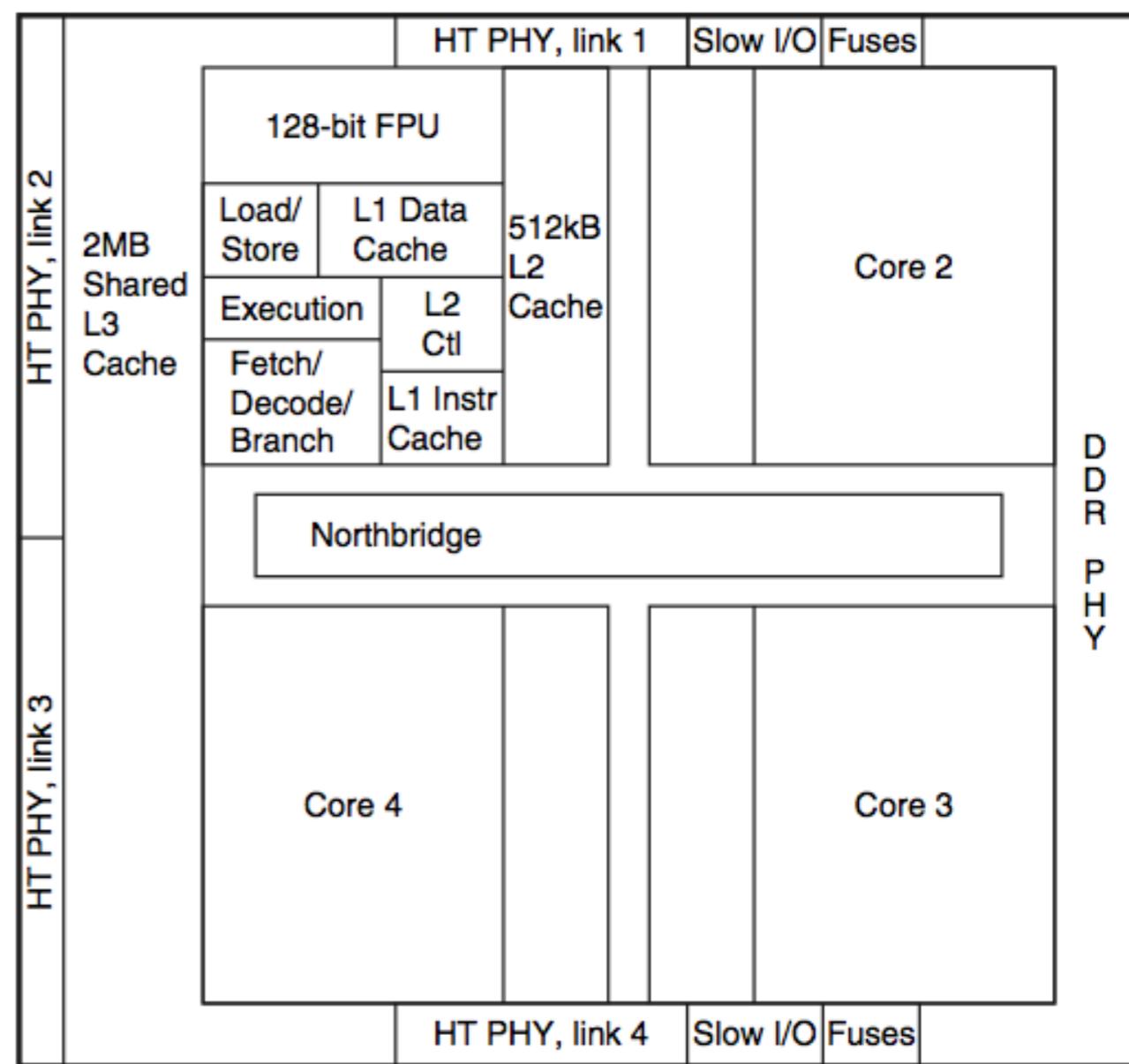
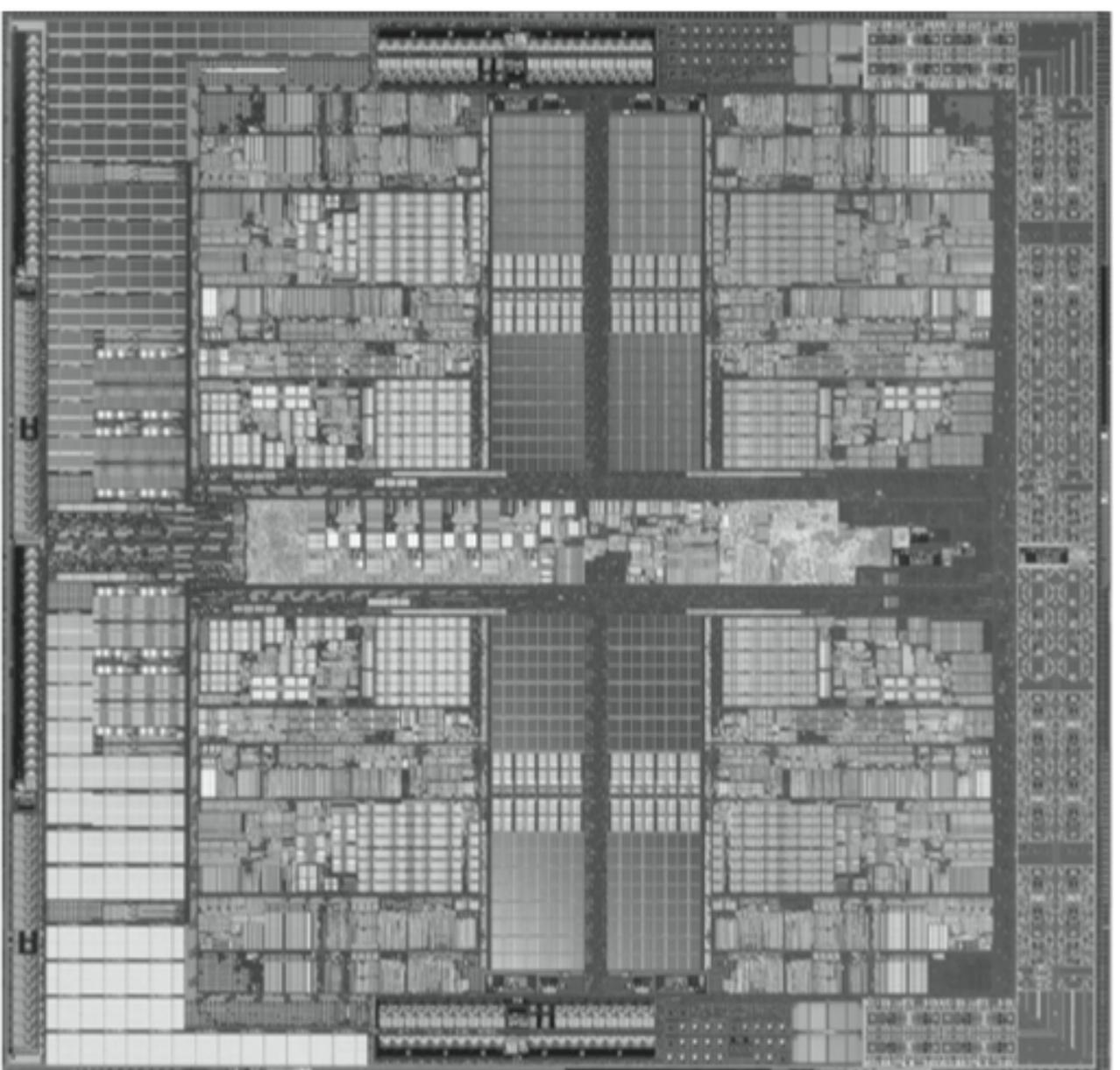
Base 10 (decimal) versus Base 2 (binary)

Hardware

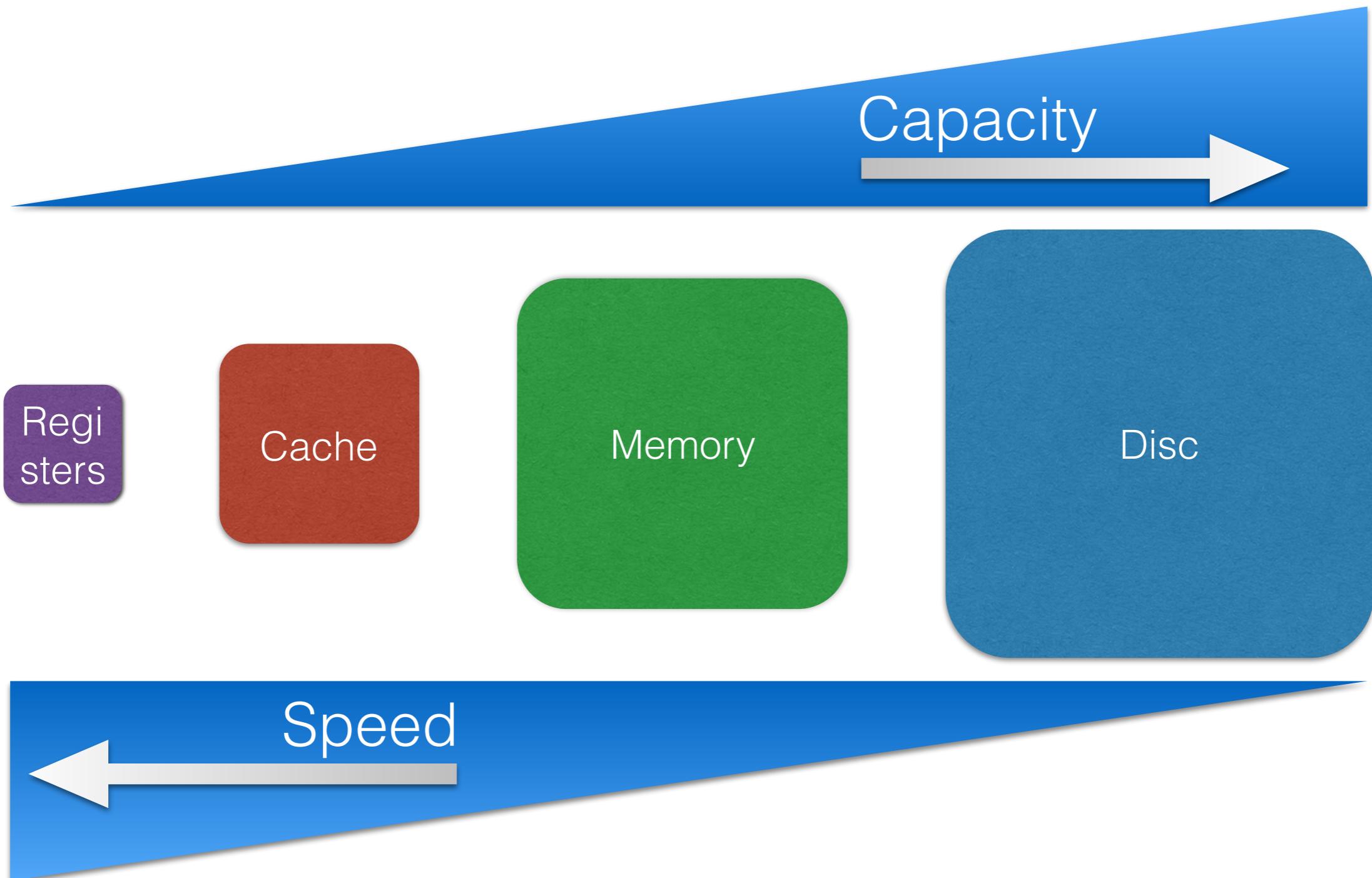




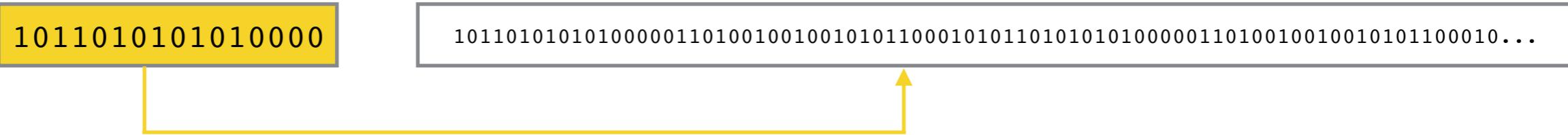
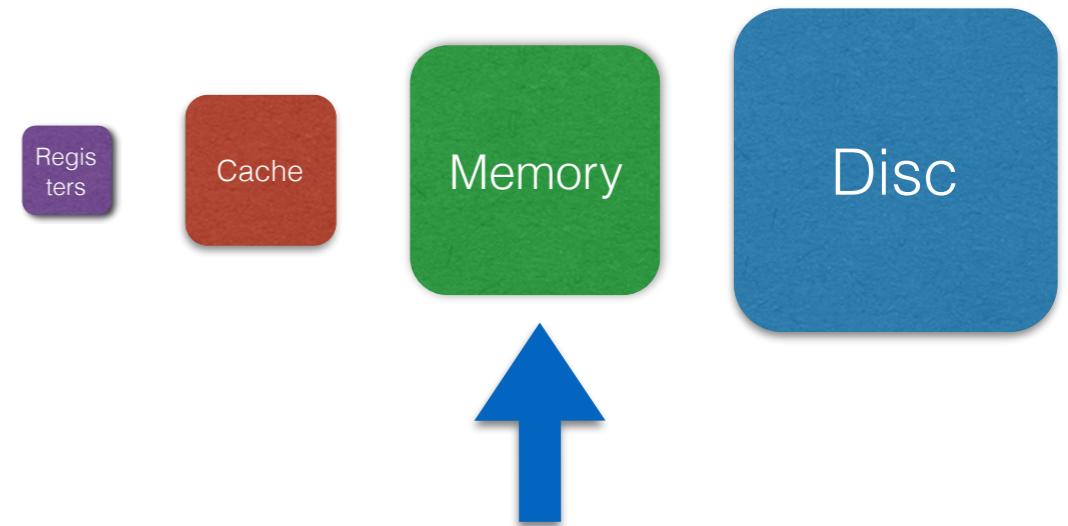




Storing code and data



- Disk access time: 5–20 milliseconds
- Memory access time: 50–70 nanoseconds— 100,000 times faster
- The cost per gigabyte of disk is 30 to 100 times less expensive than memory

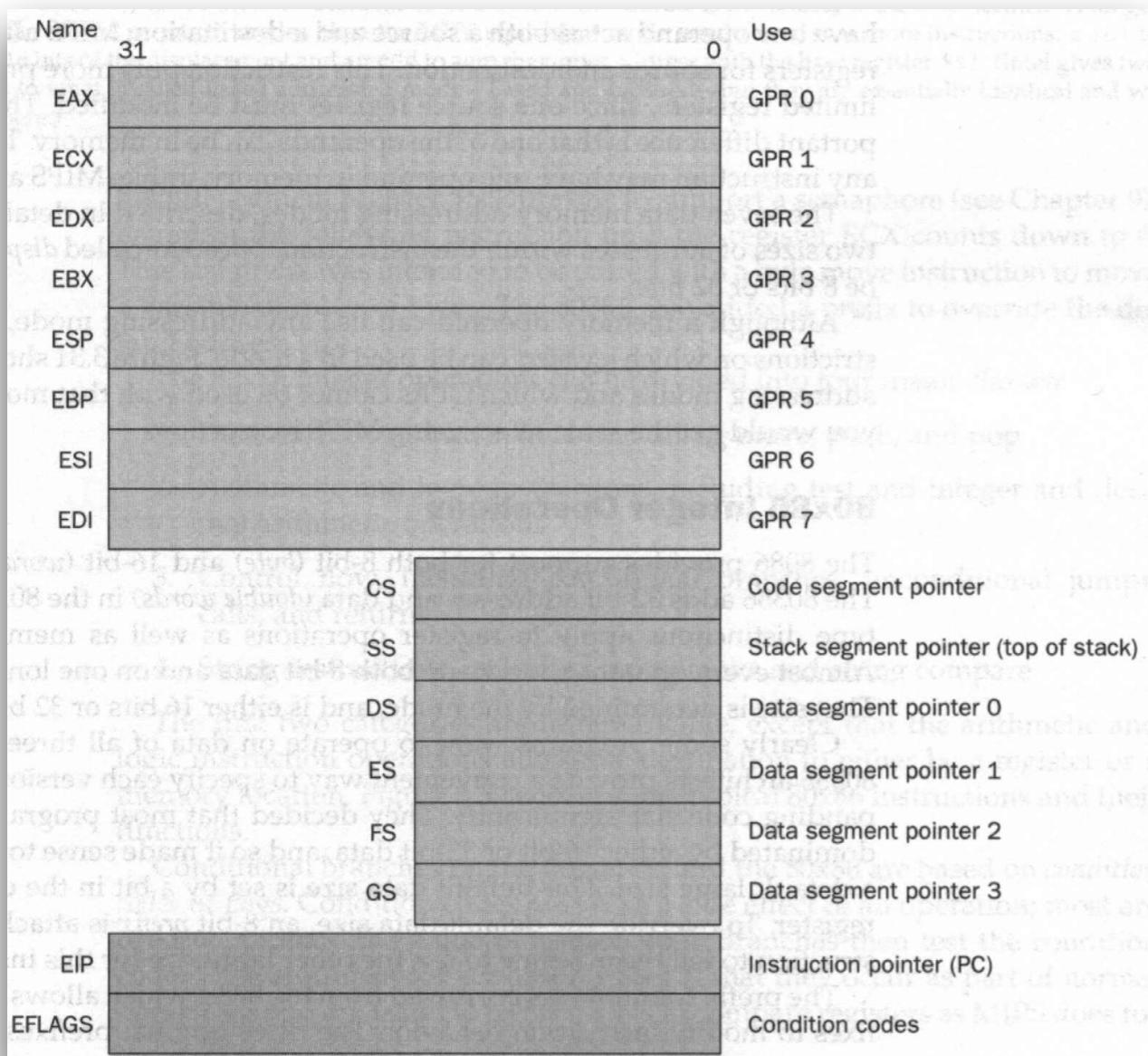


Memory: RAM - Random Access Memory

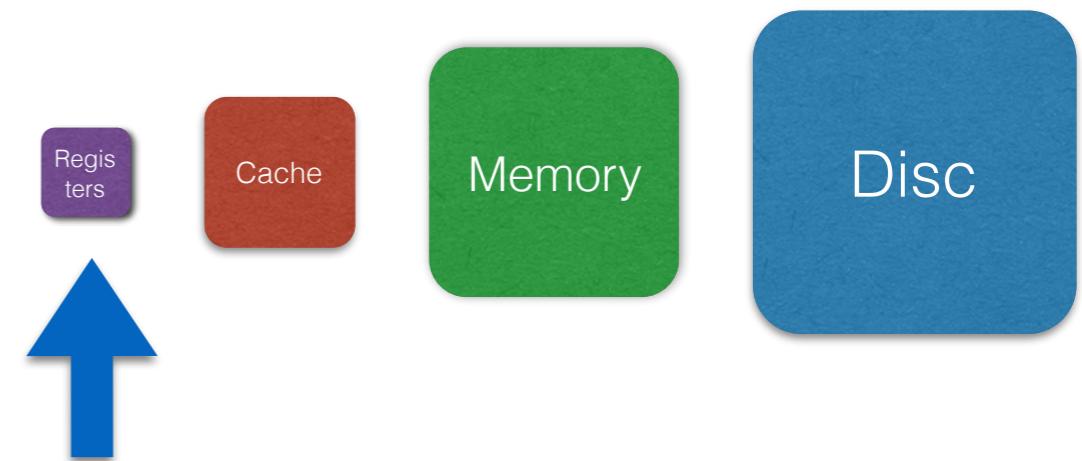
32-bit computer: address fields are 32 bits wide

allows 2^{32} possible addresses, or 4Gb

machines are now 64-bit, allowing memories up to 2^{64}



<http://www.cs.mcgill.ca/~jvybihal/Courses/CS273/8086%20Registers.JPG>



101101010100001011010101010000

Registers have a fixed size and a fixed count

Some registers are ‘general purpose’ some are specialized

an instruction format

Translating a MIPS Assembly Instruction into a Machine Instruction

Let's do the next step in the refinement of the MIPS language as an example. We'll show the real MIPS language version of the instruction represented symbolically as

add \$t0,\$s1,\$s2

first as a combination of decimal numbers and then of binary numbers.

The decimal representation is

0	17	18	8	0	32
---	----	----	---	---	----

Each of these segments of an instruction is called a *field*. The first and last fields (containing 0 and 32 in this case) in combination tell the MIPS computer that this instruction performs addition. The second field gives the number of the register that is the first source operand of the addition operation ($17 = \$s1$), and the third field gives the other source operand for the addition ($18 = \$s2$). The fourth field contains the number of the register that is to receive the sum ($8 = \$t0$). The fifth field is unused in this instruction, so it is set to 0. Thus, this instruction adds register $\$s1$ to register $\$s2$ and places the sum in register $\$t0$.

This instruction can also be represented as fields of binary numbers as opposed to decimal:

000000	10001	10010	01000	00000	100000
6 bits	5 bits	5 bits	5 bits	5 bits	6 bits

Base 10 (decimal) versus Base 2 (binary)

1854, “a Mathematical language dealing with the questions of logic”

Boolean Logic / Boolean Algebra

True = 1

False = 0

AND operation: * or &

A * B

1 * 1 = True

1 * 0 = False

0 * 1 = False

0 * 0 = False

OR operation: + or |

A + B

1 + 1 = True

1 + 0 = True

0 + 1 = True

0 + 0 = False

NOT operation:-

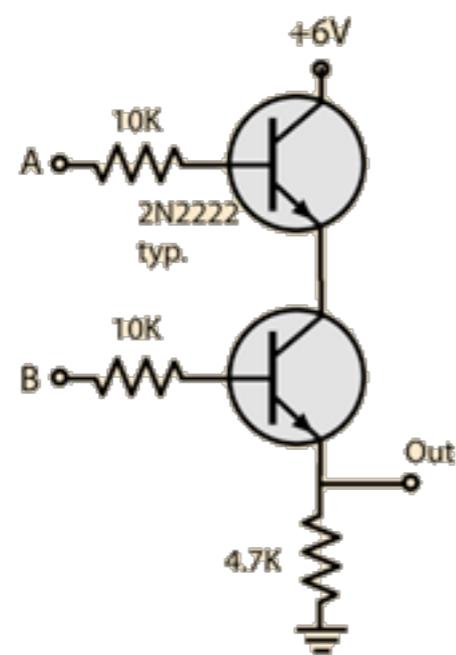
\bar{A}

1 = False

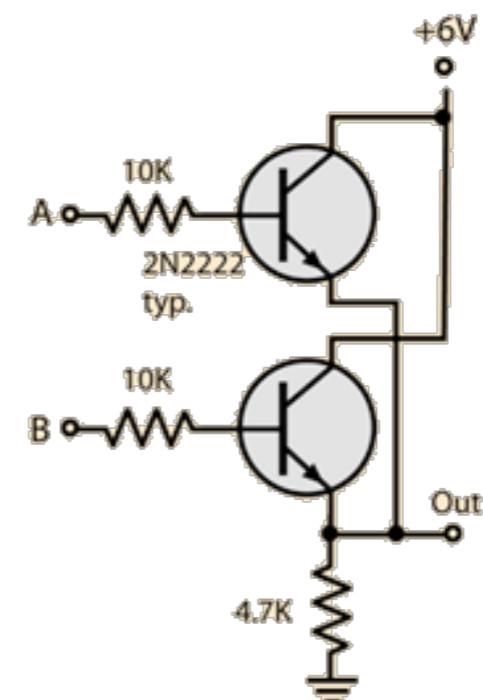
0 = True

Boolean logic, ctd.

AND gate



OR gate



AND



OR



NOT



How does computation happen?

Addition: $6 + 7$

C code

```
i = 6  
j = 7  
g = i + j;
```

Assembly

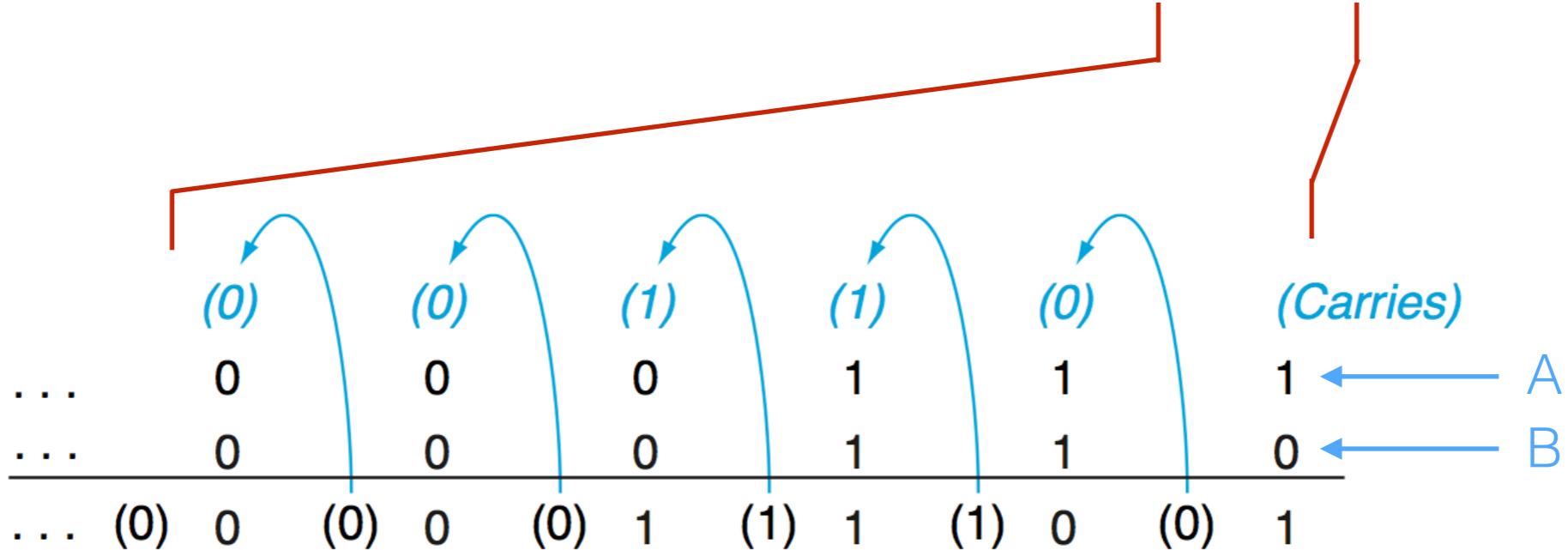
```
lw $t0, 4($s3)  
lw $t1, 8($s3)  
add $t0, $t1, $t2  
sw $t2, 48($s3)
```

Machine code

```
10100001110000100010101000001100  
10101001010000000010101000001001  
01100001100010000010100001101000  
00011001110000010010101011001000
```

Binary Addition

$$\begin{array}{r}
 0000\ 0000\ 0000\ 0000\ 0000\ 0000\ 0000\ 0111_{\text{two}} = 7_{\text{ten}} \\
 + \quad 0000\ 0000\ 0000\ 0000\ 0000\ 0000\ 0000\ 0110_{\text{two}} = 6_{\text{ten}} \\
 \hline
 = \quad 0000\ 0000\ 0000\ 0000\ 0000\ 0000\ 0000\ 1101_{\text{two}} = 13_{\text{ten}}
 \end{array}$$



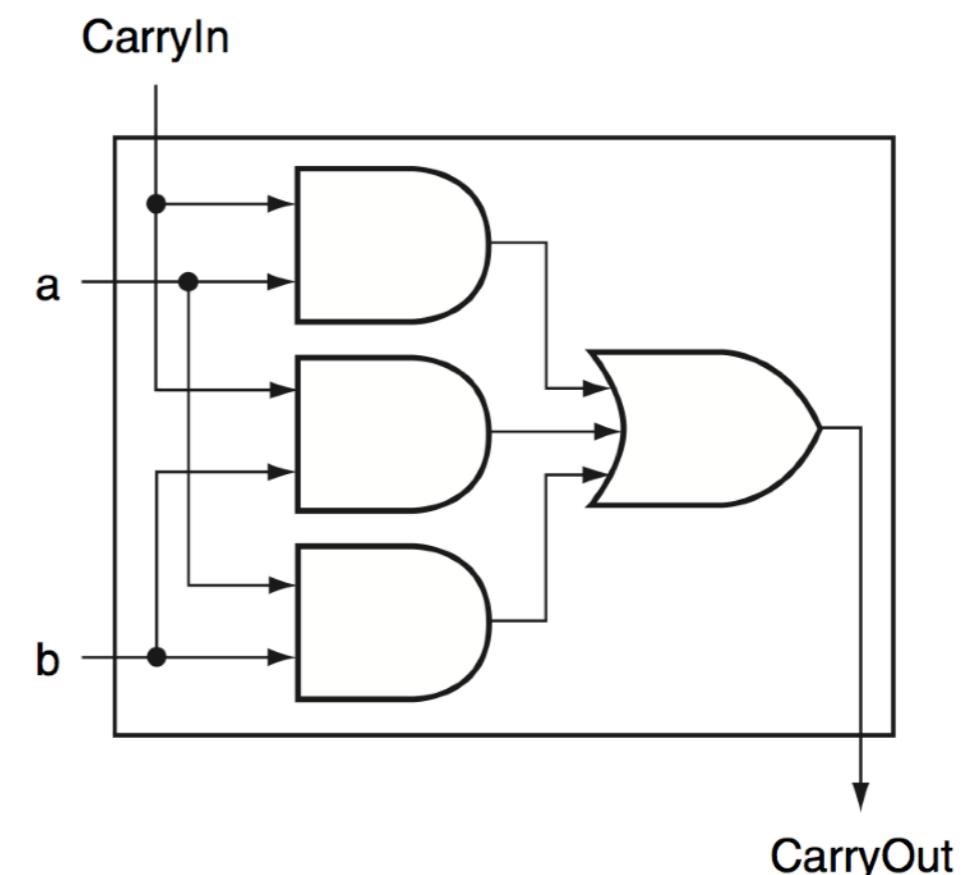
Inputs			Outputs	
A	B	CarryIn	CarryOut	Sum
0	0	0	0	0
0	0	1	0	1
0	1	0	0	1
0	1	1	1	0
1	0	0	0	1
1	0	1	1	0
1	1	0	1	0
1	1	1	1	1

Binary Addition, ctd.



Inputs			Outputs	
A	B	CarryIn	CarryOut	Sum
0	0	0	0	0
0	0	1	0	1
0	1	0	0	1
0	1	1	1	0
1	0	0	0	1
1	0	1	1	0
1	1	0	1	0
1	1	1	1	1

$$\text{CarryOut} = (b * \text{CarryIn}) + (a * \text{CarryIn}) + (a * b)$$



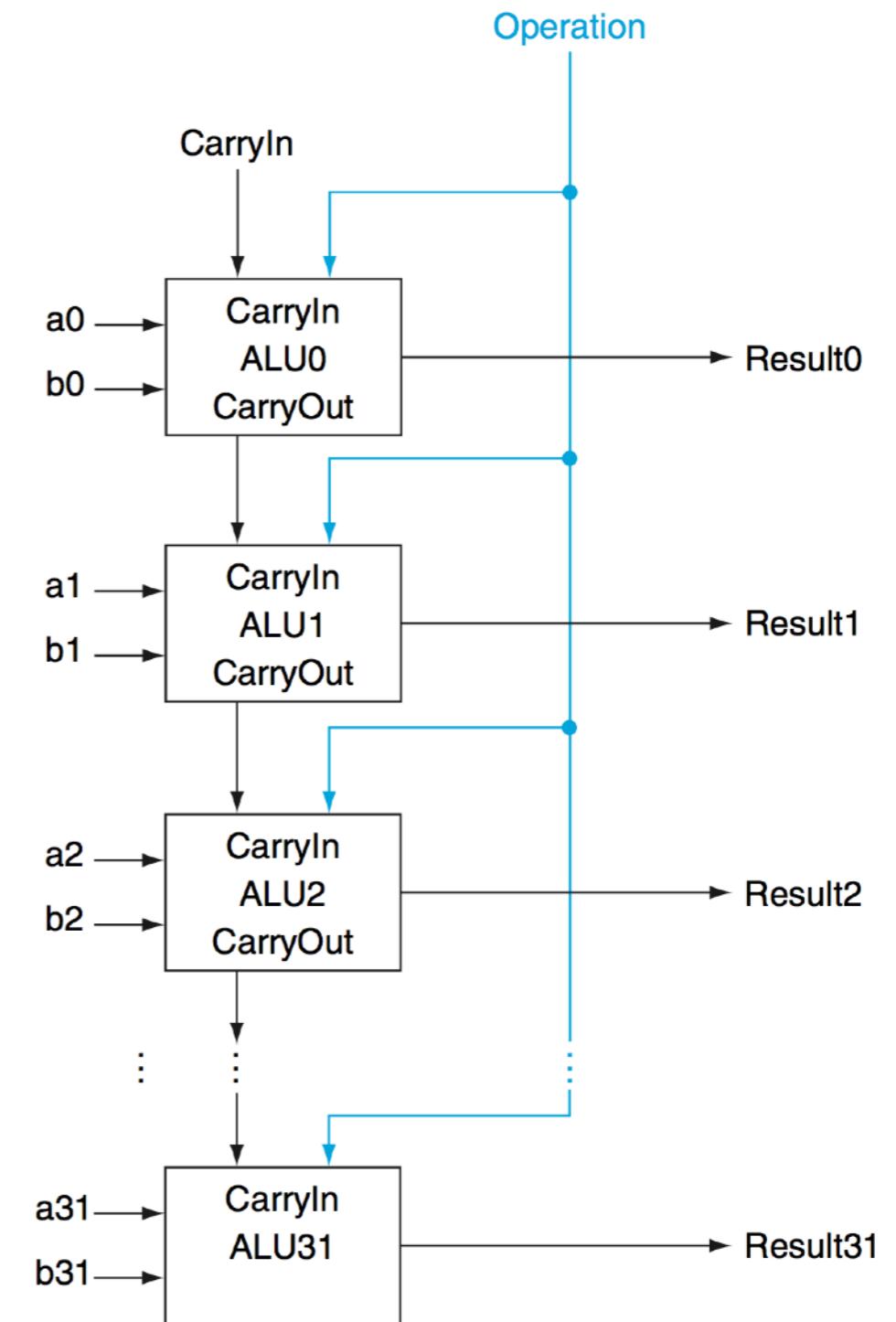
Binary Addition, ctd.

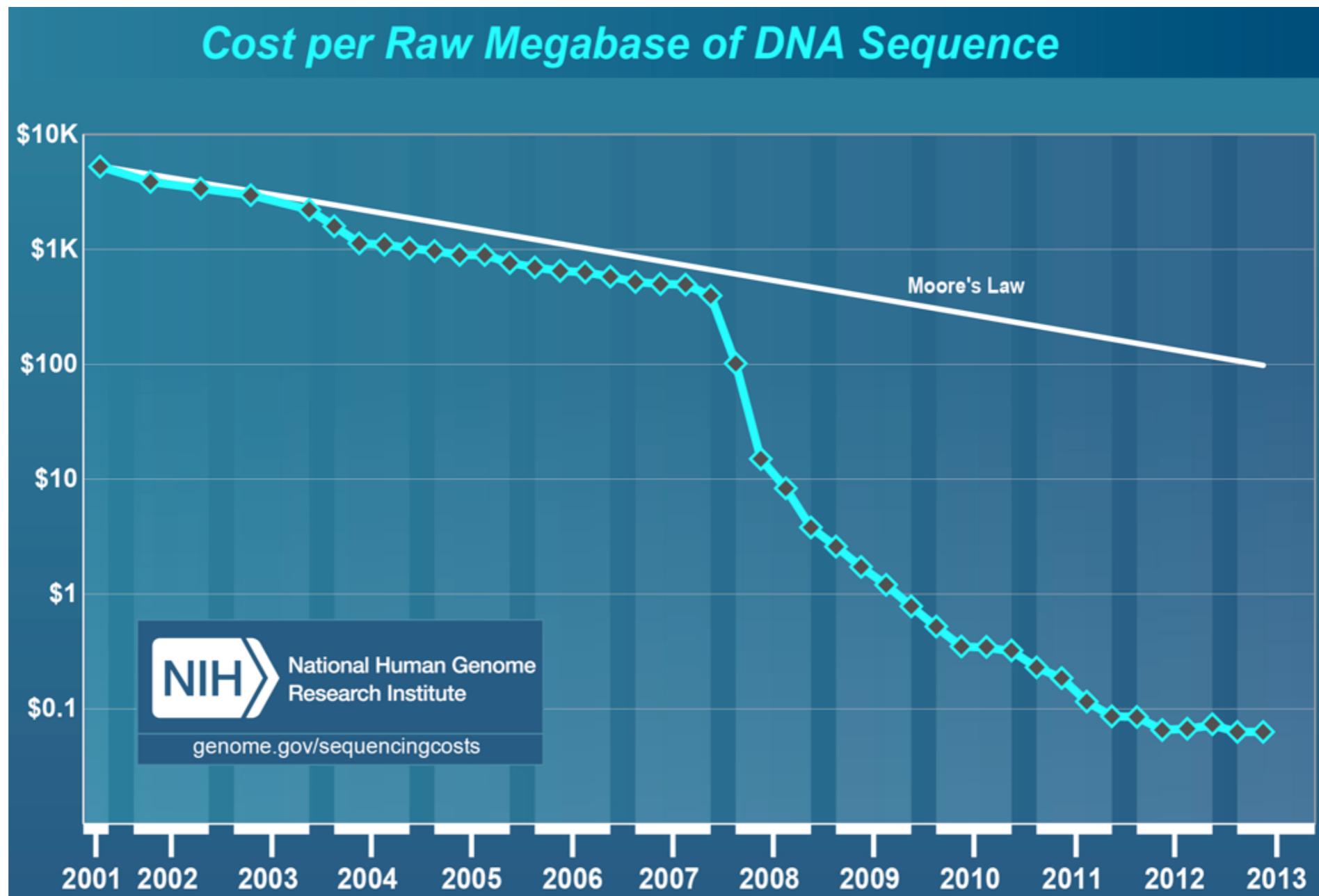
Inputs			Outputs	
A	B	CarryIn	CarryOut	Sum
0	0	0	0	0
0	0	1	0	1
0	1	0	0	1
0	1	1	1	0
1	0	0	0	1
1	0	1	1	0
1	1	0	1	0
1	1	1	1	1

$$\text{Sum} = (a \cdot \bar{b} \cdot \overline{\text{CarryIn}}) + (\bar{a} \cdot b \cdot \overline{\text{CarryIn}}) + (\bar{a} \cdot \bar{b} \cdot \text{CarryIn}) + (a \cdot b \cdot \text{CarryIn})$$

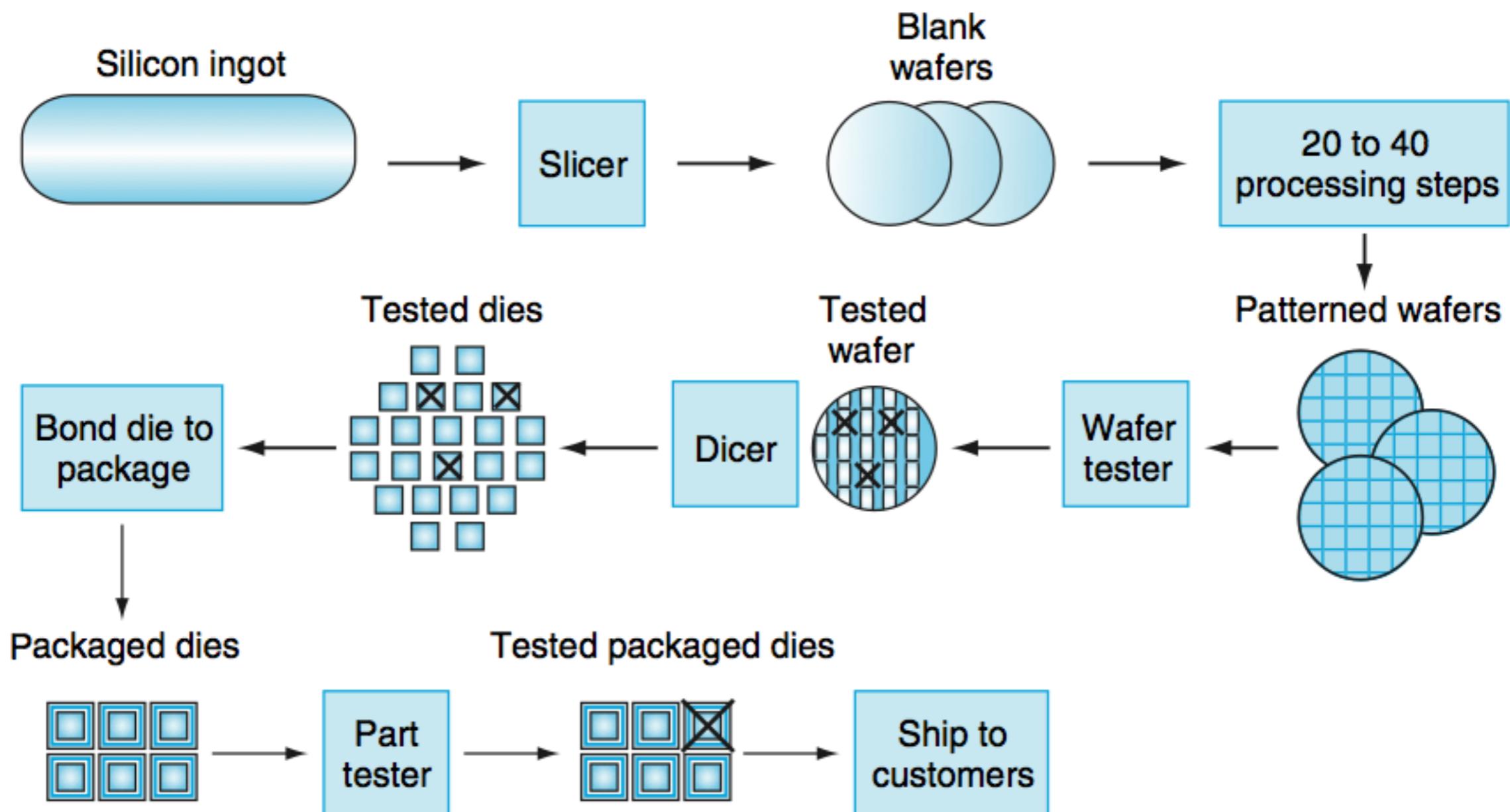
Binary Addition, ctd.

$$\begin{array}{r} 0000\ 0000\ 0000\ 0000\ 0000\ 0000\ 0111_{\text{two}} = 7_{\text{ten}} \\ + 0000\ 0000\ 0000\ 0000\ 0000\ 0000\ 0110_{\text{two}} = 6_{\text{ten}} \\ \hline = 0000\ 0000\ 0000\ 0000\ 0000\ 0000\ 1101_{\text{two}} = 13_{\text{ten}} \end{array}$$





- Some people say it takes 18 months and others say 24
- Some interpret the law to be about the doubling of processing power, not the number of transistors.
- A self-fulfilling prophecy than an actual law, principle or observation: power constraints / parallelism



Lithography

